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List of Publications and Communicated Papers

- **E. Goel**, R. K. Pandey, S. Yadav, O.P. Agrawal, A numerical approximation for generalized fractional Sturm-Liouville problem with application, **Mathematics and Computers in Simulations**, 207, (2023), 417-436.
- **E. Goel** and R. K. Pandey. Approximation and convergence of generalized fractional Sturm-Liouville problem via integral form, **The Journal of Analysis**, (2024), 1-22.
- **E. Goel**, R. K. Pandey, A non-uniform approximation for fractional Sturm-Liouville problem with generalized fractional derivatives (Communicated).
- **E. Goel**, R. K. Pandey, Higher order tempered fractional Sturm-Liouville problem: Transformation in integral form and numerical approximation (Under Preparation).