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## APPENDIX-I

### Formulation of System design using control system analysis:

State variables, control variables, and constraint conditions are the three fundamental pillars of a control system, which is required to design any system.

- *State variables* of our system are the internal biological parameters. Here we are going to formulate our ordinary differential equations in terms of a control system using a multimodel compartmental model. Here in figure 2.4 of text (chapter 2), the state variables are (1) Interleukin-2 concentration in blood (C), (2) DNA damage factor (D), (3) Tumour infiltrating lymphocytes (A), (4) Natural killer cells (K), (5) Circulating lymphocytes (B), and (6) the malignant tumour cells (M). These states variables are represented as a function of  $X_n$ , where  $n = 1$  to 6.
- *Control variables* of our system are the external administration of 3 the anti-tumour agents i.e. (1) DNA damage factor generation rate ( $v_D(t)$ ), (2) interleukin-2 formation rate ( $v_C(t)$ ) and (3) tumour infiltrating lymphocytes formation rate ( $v_A(t)$ ). These control variables are represented as a function of  $U_m$ , where  $m = 1$  to 3.
- The quantitative specifications of physiological thresholds that the cancer regression process cannot cross are known as the *constraint conditions* of the system. The minimum and maximum values for each state variable must be preserved within normal physiological bound (Table 2.2 of chapter 2).

**Step 1: Tumour cell module:**

Let us consider Figure 2.4 of chapter 2, the objective here is to find out the desired value of  $D^\ddagger$  and  $A^\ddagger$  which are the input parameters for tumour cell module, which will enable the tumour ( $M$ ) cell output module to have the desired value  $M^*$  in time point  $t_p$  [Figure 2.1 (b)]. The rate equation for the output state variable, tumour cell population  $M$ , regarding the tumour cell module in Figure 2.4. is obtained by expressing its time derivative  $M'$ : firstly, in terms of the state function  $f_M(X_n)$ , where  $X_n$  is the state variables due to two intrinsic biological parameters (i) logistic tumour cell growth parameter, and (ii) tumour cell elimination parameter due to natural killer cells. And secondly, in terms of module's input, we define the therapy variables  $g_{M1}$  and  $g_{M2}$  that represents the dose-response saturation behavior ( $U_T$ ) of two antitumour entities: DNA blockage factor  $D$  and cytotoxic T-cell population  $A$ .

Thus, 
$$M' = f_M + [g_{M1}U_D + g_{M2}U_A] \tag{1}$$

$$\Rightarrow M' = f_M + b_M \quad \dots\dots(\text{where } b_M = [g_{M1}U_D + g_{M2}U_A]) \tag{2}$$

Here,  $U_D$  and  $U_A$  represents the efficacy of the anti-tumour therapeutic entities of DNA blockage factor and cytotoxic T-cell respectively, while  $b_M$  is the combined effect of these two anti-tumour entities on tumour growth rate  $M'$ . This quantitatively antitumour behaviour of eq. (1) is a saturation type of dose-response function, which is a common characteristic of pharmacological chemical reactions (such Michaelis-Menten function, Hill function, or similar activity function). As a result, Eq. (1), which corresponds to Eq. (7) of main text, can be expressed using Michaleis-Menten Kinetics as,

$$M' = aM(1 - bM) - cKM - QM - k_M(1 - e^{-D})M \tag{3}$$

Comparing the right side of eq. (1) and (3), we see that

$$\left. \begin{aligned} f_M &= [aM(1 - bM) - cKM] \\ g_{M1} &= -k_M M \\ g_{M2} &= -M \end{aligned} \right\} \tag{4}$$

and

$$U_D = (1 - e^{-D}); \quad \text{and} \quad U_A = Q = [(d A^l) / (sM^l + A^l)] \quad (5)$$

Now, we employ the previously defined tumour growth rate [namely  $M' = -\kappa_M(M - M^*)$ ] in chapter 1 to enforce the tumour eradication using the trajectory tracking approach mentioned earlier in chapter 1. Using this statement of  $M' = -\kappa_M(M - M^*)$  in equation (1), we can determine the prerequisite for inducing total tumour regression as:

$$f_M + g_{M1}U_D + g_{M2}U_A = -\kappa_M(M - M^*) \quad (6)$$

$$\Rightarrow g_{M1}U_D + g_{M2}U_A = -\kappa_M(M - M^*) - f_M$$

$$\Rightarrow g_{M1}U_D + g_{M2}U_A = b_M \quad (7)$$

$$\text{where, } b_M = -\kappa_M(M - M^*) - f_M = -[\kappa_M(M - M^*) + f_M] \quad (8)$$

$$\Rightarrow f_M + \kappa_M(M - M^*) + b_M = 0 \quad (9)$$

According to Eq. (8), for effective therapy, the combined therapy-induced anti-tumour effect term,  $b_M$ , should address two factors: first, the condition necessary for enforcing the elimination of the tumour cell population, represented by the expression  $-\kappa_M(M - M^*)$ , and second, the growth of the tumour cell population as a result of biological processes, represented by  $f_M$ . According to Eq. (8), the relaxation decay term,  $b_M$ , has a negative value if the tumour is going to regress (or a zero value if the tumour is arrested at a specific volume and remains stable), therefore in this case,  $b_M \leq 0$ . From Eq. (7)

$$g_{M1}U_D + g_{M2}U_A - b_M = 0 \quad (10)$$

Eq. (7) shows the link between the blood levels concentration of the antitumour agents ( $U_D$  and  $U_A$ ), which, if these levels are attained, will ensure that the tumour cells are completely disappear. However, it is also necessary to maintain the blood levels of  $U_D$  and  $U_A$  so that their combined toxicity on the patient is kept to a minimum.

Therefore, we must now reduce the normal tissue damage in term of a damage cost function due to anti-tumour entities. So, we need to minimize the toxicity of these antitumour agents.

**Toxicity minimization of antitumour entities:**

The cost function for the tumour cell compartment can be calculated using the quadratic cost parameter  $J_M$  (chapter 1) as follows:

$$J_M = \frac{1}{2} (r_{M1} U_D^2 + r_{M2} U_A^2) \tag{11}$$

Here the weighting factors used in this instance for the two antitumour entities, DNA blockage factor and cytotoxic T-cells, are  $r_{M1}$  and  $r_{M2}$ . In addition to minimizing the cost function  $J_M$ , eq. (7) should also be followed as a constraint. Evidently a constrained optimization problem, the minimization of the cost function,  $J_M = \frac{1}{2} (r_{M1} U_D^2 + r_{M2} U_A^2)$ , may be addressed optimally using the Lagrange multiplier ( $\lambda$ ),

Thus, the augmented cost function  $\underline{J}$  can be expressed as follows:

$$\underline{J} = \frac{1}{2} [ r_{M1} U_D^2 + r_{M2} U_A^2 ] + [ \lambda \{ g_{M1} U_D + g_{M2} U_A - b_M \} ] \tag{12}$$

Thence, apropos the Lagrange's technique, the right-sided expression in eq. (12) enclosed by the second brackets  $\{ \dots \}$  includes the left side of the constraint equation [eq. (10)]. We differentiate  $\underline{J}$  with respect to the two variables  $U_D$  and  $U_A$  for the minimization of the augmented cost function. The minimization criteria are thus found out to be  $\partial \underline{J} / \partial U_D = 0$  and  $\partial \underline{J} / \partial U_A = 0$ , from which we derive the equations for the two variables  $U_D$  and  $U_A$  as follows:

**a) Efficacy of DNA blockage factor,  $U_D$ :**

$$\text{As, } U_A = (b_M - g_{M1} U_D) / g_{M2} \quad \dots\dots(\text{using eq. (10)})$$

So, by putting above  $U_A$  value in eq. 12, it will become

$$\underline{J} = \frac{1}{2} [ r_{M1} U_D^2 + r_{M2} \{ (b_M - g_{M1} U_D) / g_{M2} \}^2 ] + [ \lambda \{ g_{M1} U_D + g_{M2} ((b_M - g_{M1} U_D) / g_{M2}) - b_M \} ] \tag{12A}$$

Now, by using  $\partial J / \partial U_D = 0$ , eq. 12 (A) becomes

$$\begin{aligned} \Rightarrow & \frac{1}{2} [ 2r_{M1} U_D + 2r_{M2} ((b_M - g_{M1} U_D) / g_{M2}) (-g_{M1} / g_{M2}) ] = 0 \\ \Rightarrow & r_{M1} U_D - [ \{ r_{M2} g_{M1} (b_M - g_{M1} U_D) \} / (g_{M2})^2 ] = 0 \\ \Rightarrow & r_{M1} U_D - [ \{ r_{M2} g_{M1} b_M - r_{M2} (g_{M1})^2 U_D \} / (g_{M2})^2 ] = 0 \\ \Rightarrow & U_D [ r_{M1} + \{ r_{M2} (g_{M1})^2 \} / (g_{M2})^2 ] = [ (r_{M2} g_{M1} b_M) / (g_{M2})^2 ] \\ \Rightarrow & U_D [ r_{M1} (g_{M2})^2 + \{ r_{M2} (g_{M1})^2 \} ] = (r_{M2} g_{M1} b_M) \\ \Rightarrow & U_D = (r_{M2} g_{M1} b_M) / [ r_{M1} (g_{M2})^2 + \{ r_{M2} (g_{M1})^2 \} ] \\ \Rightarrow & U_D = (g_{M1} b_M) / r_{M1} [ (g_{M2})^2 / r_{M2} + (g_{M1})^2 / r_{M1} ] \\ \Rightarrow & U_D = b_M g_{M1} / r_{M1} G \quad \dots \text{ This is the efficacy of DNA blockage factor} \end{aligned} \quad (13)$$

**a) Efficacy of cytotoxic T-cell  $U_A$ :**

$$\Rightarrow U_A = b_M g_{M2} / r_{M2} G \quad (14)$$

$$\text{where, } G = [ (g_{M1})^2 / r_{M1} + (g_{M2})^2 / r_{M2} ] \quad (15)$$

Also from eq. (5)

$$U_D = (1 - e^{-D}); \quad \text{and} \quad U_A = (d A^I) / (s M^I + A^I) \quad (16)$$

By solving the above two equations of eq. (16), we will get the desired antitumour entity input level for tumour cell input module.

$$\text{i.e. } D^\ddagger = -\ln(1 - U_D); \quad A^\ddagger = [s M^I U_A / (d - U_A)]^{1/I} \quad (17)$$

where  $D^\ddagger$  and  $A^\ddagger$  are desired value of two antitumour entities (i.e. blood concentration of DNA blockage factor and of cytotoxic T-cell). Further, by substituting the value of  $U_D$  and  $U_A$  from eq. (13) and (14) into eq. 17; we can arrived at the desired value of DNA blockage factor and cytotoxic T-cell population.

$$\text{i.e. } D^\ddagger = -\ln[1 - \{ b_M g_{M1} / r_{M1} G \}] \quad (18)$$

$$\text{and, } A^\ddagger = [s M^I (b_M g_{M2} / r_{M2} G) / \{ d - (b_M g_{M2} / r_{M2} G) \}]^{1/I} \quad (19)$$

## Step 2: Cytotoxic T-cell module:

The goal here is to find the desired values for this module's input parameters namely, the interleukin-2 blood level and tumour-infiltrating lymphocyte formation rate,  $C^\ddagger$  and  $v_A^\ddagger$ , will induce the output (the cytotoxic T-cell population,  $A$ ) to be driven to the desired value  $A^\ddagger$ . When all of the tumour cells have been destroyed at time point  $t_F$  (Figure 2.1 (b), chapter 2), this enforced driving must be more rapid than the previous module (tumour cell module).

Here also, we employ the trajectory guided tracking principle of control systems analysis, which we have already applied to the tumour cell module. Similarly, by applying the same reasoning behind the lowering of the deviation or error [as describe in chapter 1, section 1.4], we obtain:

$$A' = -\kappa_A(A - A^\ddagger) \quad (20)$$

Now we consider the tumour cell module's characteristic rate,  $M' = f_M(X_n) + b_M$  [i.e., eq. (1) of this Appendix-I]. We now desire to express this rate formulation in terms of  $A'$ , the rate of change of the cytotoxic T-cell module. So, using Eq. 6 of chapter 2, we express the temporal dynamics equation of  $A'$  as:

$$A' = f_A(X) + U_C + v_A \quad (21)$$

where  $f_A(X)$  is a system function representing the T-cell immunomodulation, i.e., the biological factors acting on this cytotoxic T-cell population, and  $v_A$  is the tumour-infiltrating lymphocyte formation rate.  $U_C$  is the therapeutic efficacy of interleukin-2. By comparing eq. 21 above and eq. 6 (chapter 2), we arrived at:

$$\begin{aligned} A' = dA/dt = & -mA + Aj[(Q^2M^2) / (k + Q^2M^2)] - qAM + (r_1K + r_2B)M - uKA^2 - k_A(1 - e^{-D})A \\ & + \{p_c AC / (g_C + C) + v_A(t)\} \end{aligned} \quad (22)$$

With reference to this comparison, it is noted that the term  $U_C$ , which refers to interleukin efficacy level  $C$ , can be defined as:

$$U_C = (p_c AC) / (g_C + C) \quad (23)$$

Whereby we obtain,

$$f_A(X) = -mA + Aj[(Q^2 M^2) / (k + Q^2 M^2)] - qAM + (r_1 K + r_2 B)M - uKA^2 - k_A(1 - e^{-D})A \quad (24)$$

Also, from eq. (20) and (21), we have

$$\begin{aligned} f_A(X) + U_C + v_A &= -\kappa_M(A - A^\ddagger) \\ \Rightarrow U_C + v_A &= -f_A(X) - \kappa_M(A - A^\ddagger) \\ \Rightarrow U_C + v_A &= b_A \end{aligned} \quad (25)$$

$$\text{Here, } b_A = -f_A(X) - \kappa_M(A - A^\ddagger) \quad (26)$$

Note that the last two terms of eq. 22 (within  $\{\dots\}$ ), are terms about input of the antitumour entities, respectively dependent on interleukin and tumour-infiltrating lymphocyte [denoted as  $b_A$  in eq. (26)]. The second term of the  $\{\dots\}$  expression is the tumour infiltrating leucocytes formation rate (denoted as  $v_A$ ), and the first term ( $(p_c AC) / (g_C + C)$ ) is the therapeutic efficacy of interleukin-2. And the remaining part of eq. 22 is  $f_A(X)$ , which is the performance function of the cytotoxic T-cell module.

Indeed, the aforementioned eq. (22) shows that if the tumour regresses (or if the tumour is halted and hence stable),  $b_M \geq 0$ , the relaxation decay term  $b_A$  has a positive value. In fact, equation (25), if used, will ensure the complete eradication of the tumour, and this equation relates with the features of the antitumour agents interleukin and tumour infiltrating lymphocytes ( $U_C$  and  $v_A$ ). For this module, the two antitumour agents are interleukin-2 (its efficacy function is  $U_C$ ) and tumour infiltrating leucocytes (its formation

rate,  $v_A$ ), Thus, like the earlier tumour module we again need to minimize the toxicity of these antitumour agents.

***Toxicity minimization of antitumour agents:***

The cost function for the cytotoxic T-cell module is as follows:

$$J_A = \frac{1}{2} (r_{A1} U_C^2 + r_{A2} v_A^2) \quad (27)$$

where the two antitumour entities present in this module are responsible for the sensitivity weights  $r_{A1}$  and  $r_{A2}$ . The constraint requirement  $[U_C + v_A = b_C]$  from [eq. (25)] need to be followed for minimization. With the use of the Lagrange multiplier method, we can solve for:

the augmented cost function  $\underline{J}$  which can be expressed as follows:

$$\underline{J} = \frac{1}{2} (r_{A1} U_C^2 + r_{A2} v_A^2) + [\lambda \{ U_C + v_A - b_A \}] \quad (28)$$

The minimization criteria are thus found to be  $\partial \underline{J} / \partial U_C = 0$  and  $\partial \underline{J} / \partial v_A = 0$ , from which we derive the equations for the two variables  $U_C$  and  $v_A$  as follows:

***a) Antitumour efficacy of Interleukin-2  $U_C$ :***

We note,  $v_A = (b_A - U_C)$  .....(using eq. (25))

Thence, by putting the above  $v_A$  value in eq. 28, we have

$$\underline{J} = \frac{1}{2} (r_{A1} U_C^2 + r_{A2} (b_A - U_C)^2) + [\lambda \{ U_C + (b_A - U_C) - b_A \}]$$

Now, by using  $\partial \underline{J} / \partial U_C = 0$ , we arrive at;

$$\frac{1}{2} [ 2r_{A1} U_C + 2r_{A2} \{ (b_A - U_C) (-1) \}] = 0$$

$$\Rightarrow r_{A1} U_C + r_{A2} (U_C - b_A) = 0$$

$$\Rightarrow U_C (r_{A1} + r_{A2}) = r_{A2} b_A$$

$$\begin{aligned} \Rightarrow U_C &= r_{A2} b_A / (r_{A1} + r_{A2}) \\ \Rightarrow U_C &= r_{A2} b_A / r_{A1} r_{A2} (1/r_{A2} + 1/r_{A1}) \\ \Rightarrow U_C &= b_A / r_{A1} (1/r_{A1} + 1/r_{A2}) \\ \Rightarrow U_C &= b_A / r_{A1} H \dots \text{ This expression is the clinical efficacy of IL-2} \end{aligned} \quad (29)$$

**b) Efficacy of tumour infiltrating lymphocyte is,  $v_A$ :**

Likewise, we obtain the efficacy of these lymphocytes:

$$v_A = b_A / r_{A2} H \quad (30)$$

$$\text{where, } H = [1/r_{A1} + 1/r_{A2}] \quad (31)$$

Also from eq. (23), we have

$$C^\ddagger = g_C U_C / (p_C A - U_C) \quad (32)$$

Note that here  $C^\ddagger$  is the desired value of antitumour entity (i.e. blood concentration of IL-2). Moreover, by substituting the value of  $U_C$  from eq. (29) into eq. (32), we obtain at the desired value of the formation rate of tumour-infiltrating leucocyte:

$$\text{i.e. } C^\ddagger = g_C b_A / (p_C A r_{A1} H - b_A) \quad (33)$$

**Step 3: DNA damage module:**

In this case, the objective is to determine the desired value,  $v_D^\ddagger$ , of the module's input parameter (DNA damage factor), which would drive the module's output i.e. blood concentration of the DNA damage factor  $D$  to reach the desired value,  $D^\ddagger$ , [eq. (18)] within the time point  $t_F$  (Figure 2.1 (b)), this driving must be completed faster than the prior module (the T-cell module).

The requirement that  $E_D' + k_D E_D = 0$  (from chapter 1, section 1.4), must be put into practice, with the deviation  $E_D = (D - D^\ddagger)$ . Furthermore, we obtain  $D' = -k_D (D - D^\ddagger)$  using

the same logic as the earlier module. After removing  $D'$  from both this equation and equation (2) of chapter 2, we arrive at:

$$v_{D^\ddagger} = \gamma D - k_D (D - D^\ddagger) \quad (34)$$

(where  $v_{D^\ddagger}$  is the desired level of DNA damage factor generation rate)

**Step 4: Interleukin-2 injection module:**

The requirement to be implemented here is that  $E_C' + k_C E_C = 0$ , where  $E_C = (C - C^\ddagger)$ , here  $E_C$  denotes the deviation. Hence  $C' = -k_C (C - C^\ddagger)$ . Using eq. (1) of chapter 1 to eliminate  $C'$ , we obtain the desired Interleukin 2 formation rate;

$$v_{C^\ddagger} = \mu_C C - k_C (C - C^\ddagger) \quad (35)$$

**Step 5: Tumour infiltrating leucocyte module:**

For this module, eq. (30) can be written as,

$$v_{A^\ddagger} = b_A / r_{A2} H \quad (36)$$

This  $v_{A^\ddagger}$  term is the required Tumour infiltrating leucocyte generation rate.

To sum up, if the formation rate of the three antitumour entities (DNA impairment factor, T- lymphocyte cell, and Interleukin-2) attains the respectively desired values with time ( $v_{D^\ddagger}$ ,  $v_{A^\ddagger}$ , and  $v_{C^\ddagger}$ ), then the malignant cell population will undergo permanent complete regression and extinct.

## APPENDIX-II

### Formulating of the Profile of Antitumour Entities

#### PART-A

##### **Analysis of appropriate antitumour weights ( $r_{M1}$ , $r_{M2}$ , and $r_{A1}$ , $r_{A2}$ )**

The tuning parameters  $r_{M1}$ ,  $r_{M2}$ ,  $r_{A1}$ , and  $r_{A2}$ , are the adjustable intensity weights of the antitumour agents, selection of proper values of the weights are necessary to reduce the toxicity cost. These functional weights are acting at the two stages.

- (i) At tumour cell module: the weights  $r_{M1}$ , and  $r_{M2}$  respectively are the antitumour efficiency weight of (a) DNA blockage factor and of (b) Cytotoxic T-cell;
- (ii) At Cytotoxic T-cell module: here the weights  $r_{A1}$ , and  $r_{A2}$  respectively are the antitumour efficiency weight of (a) T-cell activation weight (activated by Interleukin-2) and (b) tumour infiltrating leucocytes.

The tuning parameter values must be larger than or equal to zero since they relate to actual cellular and biochemical processes and flow rates. They cannot have imaginary or fixed values. They are continuously changed as the tumour regression process advances to reduce toxicity for the patient, while simultaneously forcing the tumour cell population to zero. It turns out that the ratio  $r_{M1}:r_{M2}$  is the basic factor to consider in these optimization situations. The aim is to appropriately select or optimize the value of the other tuning parameter,  $r_{M2}$ , by taking that the parameter  $r_{M1}$  has a normalized value of unity (i.e.,  $r_{M1} = 1$ ). Furthermore, the other ratio  $r_{A1}:r_{A2}$  follows the same reasoning. As a result, we can use the following values for two of the parameters:  $r_{M1} = 1$  and  $r_{A1} = 1$ .

***Calculation of other two tuning parameters ( $r_{M2}$  and  $r_{A2}$ ):***

The values of the tuning parameters  $r_{M2}$  and  $r_{A2}$  can be selected based on certain physical conditions of the antitumour entities ( $U_D$ ,  $U_A$ , and  $U_C$ ) and their corresponding control variables ( $v_D$ ,  $v_A$  and  $v_C$ ).

**Step 1: Boundary conditions of DNA blockage efficacy factor  $U_D$**

We now examine the DNA blockage factor, which affects the tumour cell population module (Figure 2.4, chapter 2) and where the tuning parameters or weights ( $r_{M1}$  and  $r_{M2}$ ) are related to the toxicity cost  $J_M$  [see Appendix-I. Eq. (11)]. The tuning parameter range for the DNA blockage factor will be now analyzed; this range of values will allow for adjusting the tuning weight to ensure total tumour eradication.

***Upper bound of  $U_D$ :***

From eq. 17 of Appendix-1,

$$D^\ddagger = -\ln(1 - U_D) \quad (1)$$

Where  $D^\ddagger$  is the desired value of the blood concentration of DNA blockage factor. The clinical efficacy parameter  $D^\ddagger$  needs to avoid having imaginary values. Also, since logarithm is not defined for zero or negative values, therefore, the upper bound of  $U_D$  is 1.

***Lower bound of  $U_D$ :***

From eq. (34) of Appendix-I,  $v_D^\ddagger(t) = \gamma D - k_D (D - D^\ddagger)$ . Since  $v_D^\ddagger(t)$  is the DNA blockage factor generation rate, it cannot be negative and hence  $v_D^\ddagger(t) \geq 0$ .

Therefore,  $\gamma D - k_D (D - D^\ddagger) \geq 0$  (2)

By putting  $D^\ddagger$  value from eq. (1) to eq. (2), we obtain:

$$\gamma D - k_D (D + \ln(1 - U_D)) \geq 0$$

$$\Rightarrow U_D \geq 1 - \exp [ ( \gamma D / k_D ) - D ] \quad (3)$$

Thus, this value can be taken as the lower bound of  $U_D$ .

**Step 2: Boundary conditions of the antitumour weight factor  $r_{M2}$ :**

***Lower bound of  $r_{M2}$ :***

From eq. (13) of Appendix-I, we have already found the relationship between  $U_D$  and tuning parameters  $r_{M1}$  and  $r_{M2}$  as follows:

$$U_D = b_M g_{M1} / r_{M1} G \quad (4)$$

where,  $G = [ (g_{M1})^2 / r_{M1} + (g_{M2})^2 / r_{M2} ]$  From eq. (3) and eq. (4), we have

$$b_M g_{M1} / r_{M1} G \geq 1 - \exp [ ( \gamma D / k_D ) - D ] \quad (5)$$

Also, from eq. 8 of Appendix-I,  $b_M$  has a negative value. By transposing eq. (5), we have the lower bound of  $r_{M2}$ :

$$r_{M2} \geq (g_{M1})^2 r_{M1} / [ \{ b_M g_{M1} / 1 - \exp ( \gamma D / k_D ) - D \} - (g_{M1})^2 ] \quad (6)$$

***Upper bound of  $r_{M2}$ :***

As discussed in upper two section  $U_D < 1$ . Further, we obtain  $b_M \leq 0$ , from eq. (5) of the above paragraph. Thereby we get

$$b_M g_{M1} / r_{M1} G < 1 \quad [ \text{where } G = [ (g_{M1})^2 / r_{M1} + (g_{M2})^2 / r_{M2} ] ] \quad (7)$$

By transposing eq. (7), we arrive at:

$$r_{M2} < (g_{M2})^2 r_{M1} / [ b_M g_{M1} - (g_{M1})^2 ] \quad (8)$$

From eq. (6) and eq. (8), we obtain the range of  $r_{M2}$  as,

$$(g_{M1})^2 r_{M1} / [\{b_M g_{M1} / 1 - \exp(\gamma D / k_D) - D\}] - (g_{M1})^2 \leq r_{M2} < (g_{M2})^2 r_{M1} / [b_M g_{M1} - (g_{M1})^2]$$

.....(9)

Now, let us consider A and B to be the left and right sides of the inequality of eq. (9), i.e.

$$A = (g_{M1})^2 r_{M1} / [\{b_M g_{M1} / 1 - \exp(\gamma D / k_D) - D\}] - (g_{M1})^2 \tag{9 A}$$

$$B = (g_{M2})^2 r_{M1} / [b_M g_{M1} - (g_{M1})^2] \tag{9 B}$$

As we know that for tumour to regress  $b_M$  should be negative and if  $b_M$  is positive the tumour should progress. Therefore, for tumour cell to regress:  $b_M \leq 0$ , then the range of  $r_{M2}$  become,

$$A \leq r_{M2} < B \tag{10}$$

In contrast, if tumour is progressing  $b_M > 0$ , then the range of  $r_{M2}$  become

$$A \geq r_{M2} > B \tag{11}$$

**Step 3: Boundary conditions for using tumour infiltrating lymphocyte formation rate**

(v<sub>A</sub>)

Here, we focus on tumour-infiltrating leucocyte, which activates cytotoxic T-cells to act through the tumour cell population module (Figure 2.4 of chapter 2). In this module the toxicity cost  $J_M$  is correlated with the tuning parameters or weights,  $r_{M1}$  and  $r_{M2}$  [refer to the section after eq. (11) in the Appendix-I]. We now determine the tuning parameter range that will allow the DNA blockage factor to function efficaciously. This range of values of the tuning parameter will allow us to adjust the tuning weight in order to completely eradicate the tumour.

#### Step 4: Boundary conditions of the cytotoxic T-cell efficacy factor $U_A$

##### Upper bound of $U_A$

From eq. (17) of Appendix-I, the desired value of cytotoxic T-cell population is,

$$A^\ddagger = [s M^l U_A / (d - U_A)]^{1/l} \quad (12)$$

Since  $A^\ddagger$  is effective at enhancing the elimination of tumours, its clinical efficacy  $U_A$  cannot be negative i.e.  $U_A \geq 0$  (see the numerator of eq. (12)). The denominator also cannot be zero or negative since  $A^\ddagger$  is a positive finite cellular population, which implies that  $U_A \neq d$  and  $d - U_A > 0$  (i.e.,  $U_A < d$ ). It should be noted that the parameter  $d$ , which represents the upper limit of the  $U_A$ , is positive because it represents the saturation level of fractional tumour cell destruction by cytotoxic T-cells.

##### Lower bound of $U_A$

From the aforesaid paragraph, we can adopt the range of  $U_A$  as follows:

$$0 \leq U_A < d \quad (13)$$

Now, for the range of  $r_{M2}$ , we can take eq. (14) of Appendix-1,  $U_A = b_M g_{M2} / r_{M2} G$ , where

$G = [(g_{M1})^2 / r_{M1} + (g_{M2})^2 / r_{M2}]$ . Putting this value of  $U_A$  in eq. (13)', we have

$$0 \leq b_M g_{M2} / r_{M2} G < d$$

Whereby,  $b_M g_{M2} / r_{M2} G > 0$ , and  $b_M g_{M2} / r_{M2} G < d$ . Now, by taking the reciprocal of these two inequalities, we arrive at:

$$r_{M2} \leq \infty \quad \text{and} \quad b_M g_{M2} / dG < r_{M2}$$

i.e., 
$$b_M g_{M2} / dG < r_{M2} \leq \infty \quad (14)$$

**Step 5: Boundary conditions of antitumour effect term  $b_M$ :**

From eq. 14, we can take  $C = b_M g_{M2} / dG$  and  $D = \infty$  (14 A)

So, from eq. (14) and eq. (14-A), we can delineate that

*Case-1.* For tumour regression,  $b_M \leq 0$ , also  $C < r_{M2} \leq D$  (15)

*Case-2.* For tumour progression,  $b_M \geq 0$ , also  $C > r_{M2} \geq D$  (16)

**Step 6: Boundary conditions of T-cell activation effect term  $\{b_A\}$ :**

The interleukin efficacy  $U_C$  and the tumour-infiltrating lymphocyte administration term  $v_A$  are two immunological inputs that together provide the entire effect of cytotoxic T-cell activation represented by the symbol  $b_M$ . We may recall that the desired cytotoxic T-cell value  $A^\ddagger$  determines the generation rates of T-lymphocytes and Interleukin-2,  $v_A(t)$  and  $v_C(t)$  (Figure 2.4 of chapter 2). Hence, one may consider that eqs. (15) and (16) are prerequisites for providing the input rate of tumour-infiltration leukocyte and interleukin-2, respectively.

Also, we have  $v_A(t) \geq 0$  (17)

because the dose-rate  $v_A(t)$  cannot be negative. Further, eq. (30) of Appendix-I states that,

$$v_A = b_A / r_{A2}H \quad (18)$$

where,  $H = [1/ r_{A1} + 1/ r_{A2}]$ . As the therapeutic weight factor ( $r_{A1}$  and  $r_{A2}$ ) have positive value, so H should be a positive quantity. Now, by substituting eq. (18) in eq. (17), we get

$$b_A / r_{A2}H \geq 0 \quad (19)$$

Given that both  $r_{A2}$  and H are positive, eq. (19) indicates that:

$$b_A \geq 0 \tag{20}$$

Moreover, from eqs. 24 and 26 from Appendix-I, we have

$$b_A = -f_A(X) - \kappa_M(A - A^\ddagger) \tag{21}$$

where,

$$f_A(X) = -mA + Aj[(Q^2M^2)/(k + Q^2M^2)] - qAM + (r_1K + r_2B)M - uKA^2 - k_A(1 - e^{-D})A \dots\dots\dots(22)$$

Now, by substituting the value of  $b_A$  from eq. 20 into eq. 21, we can get the condition of control process, namely

$$-[-mA + Aj[(Q^2M^2)/(k + Q^2M^2)] - qAM + (r_1K + r_2B)M - uKA^2 - k_A(1 - e^{-D})A + \kappa_M(A - A^\ddagger)] \geq 0 \dots\dots\dots(23)$$

In the last term of eq. 23, the value of  $A^\ddagger$  (i.e. the desired value of cytotoxic T-cell population) is given by the eq. 17 of Appendix-I, i.e.

$$A^\ddagger = [s M^l U_A / (d - U_A)]^{1/l} \tag{24}$$

Putting this value of  $A^\ddagger$  in eq. 23, we get

$$U_A \geq (d P^l) / (s M^l + P^l) \tag{25}$$

Where,  $U_A$  is the cytotoxic T-cell efficacy factor and

$$P = A + (1/k_A) [-mA + Aj[(Q^2M^2)/(k + Q^2M^2)] - qAM + (r_1K + r_2B)M - uKA^2 - k_A(1 - e^{-D})A]$$

Earlier, we have seen that

$$U_A = b_M g_{M2} / r_{M2} G \quad (\text{from eq. 14 of Appendix-I})$$

By putting the value of  $P$  and  $U_A$  in eq. 25, from last two equations, we get the condition of the weighting factor of cytotoxic T-cell,  $r_{M2}$ , in terms of the weighting factor of DNA blockage factor ( $r_{M1}$ ), namely

$$r_{M2} \leq [ \{ [(s M^l + P^l) / (d P^l)] b_M G_{M2} - (G_{M2})^2 \} r_{M1} ] / (G_{M1})^2 \tag{26}$$

where  $G_{M1} = -k_M M$ ,  $G_{M2} = -M$  (as per eq. (4) of Appendix-I)

Now, we can also write eq. (26) as  $r_{M2} \leq E$  (27)

$$\text{where } E = \left[ \frac{(s M^l + P^l)}{(d P^l)} \right] b_M G_{M2} - (G_{M2})^2 \} r_{M1} / (G_{M1})^2 \quad (28)$$

Also, from the second paragraph of this Appendix-I,  $r_{M1} = 1$  in eq. 28. Thus eq. 27 is the sufficient condition for the weight  $r_{M2}$  regarding the tumour infiltrating lymphocyte formation rate,  $v_A(t) \geq 0$ .

### Step 7: Boundary conditions for using Interleukin-2 formation rate ( $v_C$ )

As from eq. 32 of Appendix-I, the desired concentration of Interleukin-2,  $C^\ddagger$ , for the complete elimination of tumour is:

$$C^\ddagger = g_C U_C / (p_C A - U_C) \quad (29)$$

Here the denominator should not be zero, as  $C^\ddagger$  should have a real value, i.e.

$$U_C \neq p_C A \quad (30)$$

Also the clinical efficacy of interleukin is defined by eq. (29) of Appendix-I as,

$$U_C = b_A / r_{A1} H \quad (31)$$

where  $H = [1 / r_{A1} + 1 / r_{A2}]$ . By substituting eq. (31) in eq. (30), rearranging, we obtain the required value of  $r_{A2}$  (the weighting factor of tumour infiltrating lymphocyte), i.e.

$$r_{A2} \neq p_C A r_{A1} / b_A - p_C A \quad (32)$$

$$\text{where } F = p_C A r_{A1} / b_A - p_C A \quad (33)$$

$$\text{So, } r_{A2} \neq F \quad (33 \text{ A})$$

For the interleukin-2 generation rate,  $v_C(t)$ , eq. (33 (a)) is the necessary condition. Further,  $v_C(t)$  should not be negative, whereby we have another requirement:

$$v_C(t) \geq 0 \quad (34)$$

Now we consider the desired interleukin-2 formation rate for tumour elimination  $v_C^\ddagger$  [eq. (35 of Appendix-I)]:

$$v_C^\ddagger = \mu_C C - k_C (C - C^\ddagger) \quad (35)$$

Since  $v_C^\ddagger \geq 0$ , since  $v_C^\ddagger$  is the desired IL-2 production rate; so eq. (35 of Appendix-I) becomes

$$\mu_C C - k_C (C - C^\ddagger) \geq 0 \quad (36)$$

Also the desired interleukin blood level from eq. 32 of Appendix-I is

$$C^\ddagger = g_C U_C / (p_C A - U_C) \quad (37)$$

where  $U_C$  is given by the eq. (29) of Appendix-I:

$$U_C = b_A / r_{A1} H \quad (38)$$

Here  $H = (1/r_{A1} + 1/r_{A2})$  [see eq. (31) of Appendix-I]. Moreover, from eq. (38) above,  $b_A$  is the cytotoxic T-cell activation term and can be obtained from eq. (26) of Appendix-I as,

$$b_A = -f_A(X) - \kappa_M (A - A^\ddagger) \quad (39)$$

In eq. (39), we have the term  $f_A(X)$ , which is from eq. 24 of Appendix-I, is:

$$f_A(X) = -mA + Aj[(Q^2 M^2)/(k + Q^2 M^2)] - qAM + (r_1 K + r_2 B)M - uKA^2 - k_A(1 - e^{-D})A \quad (40)$$

It is important to note that the cytotoxic T-cell activation term  $b_A$  can either be facilitative and positive ( $b_A \geq 0$ ) or inhibitory and negative ( $b_A \leq 0$ ). Numerous experimental findings support this bimodality. For instance, these T-cells may get activated in response to fragments and debris from tumour cells, but may become suppressed in response to recurrent interactions with tumour cells. Let us now enter the corresponding substitutions from the aforementioned eqs. [(37)- (40)] have, into eq. (36), and then solve it for the  $r_{A2}$  weighting factor. We thereby can write the solution in compact form, as

$$G = \frac{r_{A1}}{\frac{b_A g_C}{c \left(1 - \frac{\mu_C}{k_C}\right) + b_A} - 1} - 1 \quad (41)$$

When we solve eq. 41 for  $r_{A2}$ , we get two values depending on the  $b_A$  value, which determines whether the cytotoxic T-cell activation is facilitative or inhibitory:

(a) If  $b_A \leq 0$  (T-cell inhibition): then one condition needs to be satisfied, viz.  $r_{A2} \leq G$  (42)

(b) If  $b_A \geq 0$  (T-cell activation): then two conditions need to be satisfied, viz.  $b_A \geq G$  (43)

$$\text{and } b_A < p_C A [ 1 + (r_{A1} / r_{A2} ) ] \quad (44)$$

For using interleukin formation rate  $v_C(t)$ , we note that Eqs. (33 (a)), (42), (43) and (44) are the sufficient conditions on  $r_{A2}$ .

## PART-B

### Calculating the values of antitumour weights $r_{M2}$ and $r_{A2}$

From the above, we have several numerical indices, viz. the parameters named (A, B, C, D, E, F, G) defined in eqs. (9 A), (14 A), (28), (33) and (41), and these indices determine the values that can be taken by the tuning parameters  $r_{M2}$  and  $r_{A2}$  [eqs.(10)-(11), (15)-(16), (27), (33 A), (42)-(43)]. The biological factors of eqs. (1)-(7) of chapter 2 [ namely, (M, K, A, B, D, and C)] vary over time, so the values of  $r_{M2}$  and  $r_{A2}$  will also change over time.

### Calculation of antitumour weight $r_{M2}$ :

a) *When  $b_M \leq 0$ :*

The three aforesaid eqs.(10), (15), (27), respectively are:

$$A \leq r_{M2} < B;$$

$$C < r_{M2} \leq D;$$

$$r_{M2} \leq E;$$

As  $D = \infty$  (from eq. (14-A)), the last two of the above inequalities can be combined to get

$$C < r_{M2} \leq E.$$

The two inequality formulas are now  $A \leq r_{M2} < B$  and  $C < r_{M2} \leq E$ . Evidently, if we have a stricter inequality, we can satisfy both of these inequalities, that is:

$$[\text{maximum of A and C}] \leq r_{M2} < [\text{minimum B and E}] \quad (45)$$

As a starting point, we can consider the value of  $r_{M2}$  to be halfway between its upper and lower bounds, i.e.  $r_{M2}$  is average of the left- and right-sided expressions of eq. (45). Thus,

$$r_{M2} = \frac{1}{2} [(\text{maximum of A and C}) + (\text{minimum of B and E})] \quad (46)$$

Therefore, in the event that  $r_{M2}$  turns negative, we can take into account its upper bound in order to maintain a positive value. Thus, we can take

$$r_{M2} = \frac{1}{2} (\text{minimum of B and E}) \quad (47)$$

**b) When the term  $b_M \geq 0$ :**

From eqs. (11), (16), and (27), we likewise arrive at the inequalities,

$$A \geq r_{M2} > B, \quad \text{and} \quad C > r_{M2} \geq E \quad (48)$$

Similarly,

$$r_{M2} = \frac{1}{2} [(\text{the greater value among B and E}) + (\text{the smaller value among A and C})] \quad (49)$$

If eq. (49) gives  $r_{M2}$  a negative value, then we take that

$$r_{M2} = \frac{1}{2} (\text{the smaller value among A and C}) \quad (50)$$

If this result is also negative, we shall not choose the antitumour inputs for  $r_{M2}$ , which are  $v_D(t)$ , namely DAN impairment factor production rate and  $v_A(t)$ , namely for tumour-infiltrating lymphocytes. Thus, the formation rate of the other two antitumour entities are omitted (or made zero), and only other antitumour entity, interleukin-2 is considered.

### Calculation of antitumour weight $r_{A2}$ :

#### a) *When $b_L \leq 0$ :*

From eqs. (33- A) and (42), we can get

$$r_{A2} = G-1 \quad (51)$$

In case if  $(G-1) = F$ , then we have, (52)

$$r_{A2} = G-2$$

#### b) *When $b_L \geq 0$ :*

By, eqs. (33-A), (43) and (44), one can discern that three conditions should be satisfied.

We initially put

$$r_{A2} = G+2 \quad (53)$$

In case, if eq. 44 inequality is not satisfying, we can put

$$r_{A2} = G+1 \quad (54)$$

However, if  $r_{A2} + F$ , then, we can take

$$r_{A2} = G+0.5 \quad (55)$$

## PART-C

### One or Two Antitumour entities

We can select the concentrations of the three antitumour entities based on the values of the weights,  $r_{M2}$  and  $r_{A2}$ , which depend on the values of bounds A, B, C, D, E, and F therein, as described in the earlier pages (Parts A and B, eqs. 9 A, 9 B, 14 A, 28, 33, 41). At first, we select all three antitumour entities. If any of the entities violates any of the necessary or sufficient conditions mentioned in aforesaid Part A and B, then we omit this entity and consider the other two antitumour entities. Following that, if one condition fails, the offending entity is omitted and we turn to the remaining antitumour entity. Below, we

explain how to proceed in a scenario where only one or two of the three antitumour modalities —DNA damage factor, T-cell, or IL-2 are required.

**a) Formulation for two antitumour entities:**

Due to the availability of the three different antitumour entities and owing to the simultaneous consideration of two entities out of the three, this strategy results in three distinct situations (namely T-cell and IL-2, or T-cell and DNA damage factor, or IL-2 and DNA damage factor). The aim is the same as with the three entities controls: to get the tumour cell population to  $M = 0$  in a definite time  $t_F$ . Actually, we use the general strategy created for the full protocol of three medications in the derivations below. The following situation can occurs:

**Case 1: DNA impairment with Tumour-infiltrating lymphocyte, ( $v_D(t)$  and  $v_A(t)$ )**

**(i) Tumour cell module:**

As, the previously defined tumour change rate is  $M' = -\kappa_M(M - M^*)$ , by using negative bias formulation, we have the following formulation of tumour cell extinction,

$$(\dot{M} - \dot{M}^*) + \kappa_M(M - M^*) = 0$$

This is similar to three antitumour entity control design. From eq. (17), we have the desired concentration of DNA blockage factor in blood ( $D^\ddagger$ ) and the desired population of cytotoxic T-cells in blood ( $A^\ddagger$ ) respectively as follows:

$$D^\ddagger = -\ln(1 - U_D); \quad \text{and} \quad A^\ddagger = [s M^l U_A / (d - U_A)]^{1/l}$$

**(ii) Cytotoxic T-cell module:**

Similarly, for the dynamic control formulation of T-cell induced tumour regression:

$$(\dot{A} - \dot{A}^*) + \kappa_M(A - A^*) = 0$$

and the desired level of tumour-infiltrating lymphocyte formation is:

$$v_A(t) = - (f_A(X) + k_A(A - A^*))$$

where,  $f_A(X) = -mA + Aj[(Q^2M^2) / (k + Q^2M^2)] - qAM + (r_1K + r_2B)M - uKA^2 - k_A(1 - e^{-D})A$

**(iii) DNA impairment factor module:**

Similarly, the dynamic control formulation for DNA blockage factor-induced cancer regression is also obtained as:

$$(\dot{D} - \dot{D}^*) + \kappa_D(D - D^*) = 0$$

while the intended injection rate of tumours – infiltrate lymphocytes formation is:

$$v_{D^*} = \gamma D - k_D(D - D^*)$$

**Case 2: Tumour-infiltrating lymphocyte with Interleukin, ( $v_A(t)$  and  $v_I(t)$ )**

**(i) Tumour cell module:**

The formulation of cancer cell extinction with a negative bias is provided by the analysis mentioned in chapter 1:

$$(\dot{M} - \dot{M}^*) + \kappa_M(M - M^*) = 0$$

Also the efficacy factor of cytotoxic T-cell shown earlier, is:

$$U_M = \left(\frac{1}{M}\right) [ aM(1 - bM) - cKM - K_M(1 - e^{-D})M + k_M(M - M^*) ]$$

with the desired population of cytotoxic T-cell in blood having:

$$A^* = [s M^l U_A / (d - U_A)]^{1/l}$$

**(ii) Cytotoxic T- cell module:**

The aforesaid expressions we found are comparable to the three antitumour entities control strategies (described in Appendix- I), namely:

Efficacy factor of interleukin-2:  $U_C = b_A / r_{A1} (1 / r_{A1} + 1 / r_{A2})$

Efficacy factor of tumour-infiltrating lymphocyte:  $v_A = b_A / r_{A2} H$  (where  $H = [1 / r_{A1} + 1 / r_{A2}]$ )

Desired interleukin-2 concentration in blood:  $C^\ddagger = g_C U_C / (p_C A - U_C)$

**(iii) Interleukin module:**

This is same as the three antitumour entities control systems, each of which has Interleukin-2 concentration rate that is desired:

$$v_C^\ddagger = \mu_C C - k_C (C - C^\ddagger)$$

**Case 3: Interleukin and DNA impairment factor, ( $v_C(t)$  and  $v_D(t)$ )**

**(i) Tumour cell module:**

As we discussed earlier, in chapter 2, the negative bias formulation for tumour cell elimination term is

$$(\dot{M} - \dot{M}^*) + \kappa_M (M - M^*) = 0$$

This is similar to the three antitumour entities control design, whereby we have

Desired DNA impairment factor concentration in blood:  $D^\ddagger = -\ln(1 - U_D)$ ;

Desired population of cytotoxic T-cells:  $A^\ddagger = [s M^l U_A / (d - U_A)]^{1/l}$

**(ii) Cytotoxic T- cell module:**

Likewise, the T-cell induced tumour regression control dynamics can be represented by

$$(\dot{A} - \dot{A}^*) + \kappa_A(A - A^*) = 0$$

and the efficacy factor of interleukin-2 is

$$U_C = -[-mA + Aj[(Q^2M^2)/(k + Q^2M^2)] - qAM + (r_1K + r_2B)M - uKA^2 - k_A(1 - e^{-D})A \\ + p_cAC / (g_C + C) + v_A(t) + \kappa_A(A - A^*)]$$

where the desired interleukin-2 concentration in the blood becomes:

$$C^\ddagger = g_C U_C / (p_c A - U_C)$$

**(iii) DNA impairment factor module:**

Reminiscent of the three antitumour entities control design earlier, we can obtain

Desired DNA impairment factor concentration in blood  $v_{D^\ddagger}(t) = \gamma D - k_D (D - D^\ddagger)$

**(iv) Interleukin module:**

As before, the desired interleukin-2 concentration in blood is,  $v_{C^\ddagger} = \mu_C C - k_C (C - C^\ddagger)$

## b) Formulation for one antitumour entity:

Before moving on to one of the following three antitumour entities, we first discuss the dynamics of the tumour cell.

### Case 1: DNA impairment factor module, $v_M(t)$

In this instance, the dynamics of the tumour cell and the contribution of the DNA blockage factor must be taken into account.

#### (i) Tumour cell module:

Here we have two modules to consider: the tumour cell modules, and its preceding module, the DNA blockage factor module (Figure 2.4). Following the same methodology, we can take

$$(\dot{M} - \dot{M}^*) + \kappa_M(M - M^*) = 0$$

Hence, the desired DNA blockage factor formulation in blood;  $D^\dagger = -\ln(1 - U_D)$ ;

Here, the DNA blockage factor efficacy factor;  $U_D = b_M / g_{MI}$

$$\text{where, } g_{MI} = -k_M M \quad \text{and} \quad b_M = -[\kappa_M(M - M^*) + f_M]$$

and,  $f_M = [aM(1 - bM) - cKM]$

#### (ii) DNA impairment factor module:

Recollecting the DNA impairment factor module of the three antitumour entities control design, we have the desired formulation rate of the DNA impairment factor:

$$v_{D^\dagger}(t) = \gamma D - k_D (D - D^\dagger)$$

### **Case 2: Tumour-infiltrating lymphocyte formation rate, $v_A(t)$**

In this case, we attend to the tumour cell module and its predecessor, the tumour infiltrating lymphocyte module (Figure 2.4).

#### **(i) Tumour cell module:**

Since we are dealing with immunomodulation, we consider the tumour cell module when under the immunomodulatory effect, namely the tumour infiltrating lymphocyte and interleukin-2, i.e. under the two antitumour entities formulation rates,  $v_A(t)$  and  $v_C(t)$ . Thereby, we have the desired cytotoxic T-cell population in blood:

$$A^\ddagger = [s M^l U_A / (d - U_A)]^{1/l}$$

#### **(ii) Cytotoxic T-cell module:**

This resembles the cytotoxic T lymphocyte module under the effect of two antitumour entities, i.e. the formation rates of DNA impairment and tumour-infiltrating lymphocytes, i.e. the  $v_M(t)$  and  $v_A(t)$ . Thus, the desired formation rate of tumour-infiltrating lymphocytes is:

$$v_A(t) = - (f_{LA}(X) + k_A(A - A^*))$$

### **Case 3: Interleukin-2 formation rate, $v_C(t)$**

Since the interleukin-2 dosage module  $v_C(t)$ , is most distant from the tumour cell module, we need to consider the three successive entities: tumour cell, cytotoxic T-cell and interleukin-2 module.

**(i) Tumour cell module:**

The derivation parallels the tumour cell module of the two antitumour entities, when formation rate of tumour-infiltrating lymphocytes and interleukin-2,  $v_A(t)$  and  $v_C(t)$ , are used. Thence the desired cytotoxic T-cell population in blood is:

$$A^\ddagger = [s M^l U_A / (d - U_A)]^{1/l}$$

**(ii) Cytotoxic T-cell module:**

Here, also the derivation is same as the cytotoxic T-cell module of two the antitumour entities where one uses the formation rates of DNA impairment factor and interleukin-2,  $v_D(t)$  and  $v_C(t)$ . Thereby the desired interleukin-2 concentration in blood is obtained as:

$$C^\ddagger = g_C U_C / (p_C A - U_C)$$

**(iii) Interleukin-2 module:**

This is reminiscent of the three antitumour entities administration; whereby the desired formation rate of interleukin-2 is:

$$v_C^\ddagger = \mu_C C - k_C (C - C^\ddagger)$$

Following the procedures mentioned above, the one can determined the time-wise profile of the blood concentration of the antitumour entities and their formation rates of these entities. The individual concentration levels and formation rates vary with time, and this temporal profile of the antitumour entities (DNA blockage factor, Cytotoxic T- lymphocyte and Interleukin-2) drives the tumour cell population to extinction in the desired time duration.



## APPENDIX – III (A)

### Upregulated genes at time point $t_1$

<b>Probe Set ID</b>	<b>Gene Name</b>	<b>Log FC</b>	<b>P.Value</b>
Ssc.30843.1.A1_at	Q96LP2	5.09625862	2.5E-05
Ssc.13778.1.S1_at	IGHM	3.64518632	0.00483
Ssc.8843.1.A1_at	FN1	2.02799876	0.01463
Ssc.17853.1.A1_at	REM1	1.98507736	0.002
Ssc.19179.1.A1_at	NP_055654	1.9264786	0.02948
Ssc.27289.1.S1_at	GRIK2	1.86819834	0.00752
Ssc.11858.1.S1_at	FMOD	1.8643975	0.00603
Ssc.4258.1.S1_at	TP53I11	1.86029917	0.00178
Ssc.29707.1.A1_at	NP_115822	1.85472412	0.00139
Ssc.11698.1.A1_at	SIAT8D	1.76742182	0.00084
Ssc.25888.1.A1_at	NFIB	1.76622848	0.00261
Ssc.29185.1.A1_at	ITGA8	1.76621301	0.00432
Ssc.2070.1.S1_at	EPB41L1	1.76289291	7.5E-05
Ssc.8965.1.A1_at	EPAS1	1.75478446	0.01278
Ssc.2064.1.A1_at	Q86SM2	1.72424482	0.00022
Ssc.6656.1.A1_at	FNDC1	1.61675476	0.01466
Ssc.314.1.S1_at	ADM	1.57717706	0.01586
Ssc.30055.1.A1_at	RUNX1	1.51028593	0.02231
Ssc.24337.1.S1_at	MAPK9	1.4910113	0.032
Ssc.14422.1.A1_at	C6orf190	1.48253385	0.01322
Ssc.8569.1.A1_at	Q6NVV9	1.47638439	0.00279
Ssc.14164.1.A1_at	Q8N4P4	1.47420771	0.00605
Ssc.5631.1.S1_at	EPB41L1	1.45708193	0.00124
Ssc.9883.1.A1_at	ADRBK2	1.38293739	0.0007
Ssc.20491.1.A1_at	CLCN3	1.37308516	0.01877
Ssc.29372.1.A1_at	Q63HM9	1.37177953	0.04391
Ssc.27786.1.S1_at	PFKFB3	1.32202806	0.00407
Ssc.16187.1.S1_at	PTGDS	1.30616662	0.03569
Ssc.11992.1.A1_at	CLU	1.30234557	0.01724
Ssc.7907.1.A1_at	SIAT1	1.30015215	0.023
Ssc.18359.1.S1_at	CCR1	1.27669738	0.04576
Ssc.1600.1.A1_a_at	Q8N4P4	1.17748454	0.00552
Ssc.5910.1.A1_at	VAV1	1.16612458	0.0494
Ssc.16985.1.S1_at	IL18BP	1.13172202	0.01786
Ssc.11787.2.A1_at	RASSF2	1.13110809	0.02894

Ssc.5826.1.A1_at	CSF1R	1.12066561	0.02397
Ssc.15892.1.S1_at	KCNAB2	1.11647368	0.03449
Ssc.29929.1.S1_at	ANGPTL2	1.11116635	0.00757
Ssc.4520.1.S1_at	MYO1D	1.1066335	0.04137
Ssc.29026.1.S1_at	EPB41L1	1.09542659	0.00239
Ssc.15360.1.A1_a_at	SOX18	1.09371615	0.00883
Ssc.13825.1.A1_at	CABLES1	1.09085197	0.04619
Ssc.28019.1.A1_at	ATRNL1	1.07712333	0.01356
Ssc.1902.1.A1_at	Q8N200	1.05216308	0.04076
Ssc.4345.1.S1_at	COL4A1	1.05055533	0.00175
Ssc.2897.1.S1_at	CBLB	1.04402778	0.02037
Ssc.13356.1.A1_at	TKTL1	1.04160997	0.0076
Ssc.6365.1.A1_at	SYNE1	1.03083458	0.00371
Ssc.25203.1.S1_at	SCARA3	1.02684401	0.01165
Ssc.29504.1.A1_at	HYDIN	1.02434073	0.01694
Ssc.1017.1.S1_at	NP_056234	1.02069193	0.03923
Ssc.12790.1.A1_at	VEGFC	1.01248312	0.02595
Ssc.11440.1.A1_at	RCOR3	1.01151092	0.00027
Ssc.24733.1.A1_at	Q8IY15	1.01125332	0.01025

### Downregulated genes at time point $t_1$

Probe Set ID	Gene Name	Log FC	P.Value
Ssc.1313.1.A1_at	NP_077001	-1.035	0.0004
Ssc.31207.1.S1_at	TMPO	-1.0655	0.01169
Ssc.21168.1.S1_at	HSPA14	-1.0841	3.5E-05
Ssc.9311.1.A1_at	PHLDA1	-1.1051	0.0048
Ssc.15824.1.S1_at	KPNA2	-1.1385	0.01054
Ssc.6430.1.A1_at	VAPB	-1.1477	0.02661
Ssc.24122.1.S1_at	KNTC2	-1.1592	0.0234
Ssc.8308.1.A1_at	CHL1	-1.1613	0.02133
Ssc.19649.2.S1_at	PSMD14	-1.2206	0.00022
Ssc.2045.2.S1_at	SLC23A3	-1.2472	0.00618
Ssc.6707.1.A1_at	GLDC	-1.2667	0.00152
Ssc.23877.1.S1_at	CCNA2	-1.3384	0.00524
Ssc.16088.1.S1_at	HMGCR	-1.3973	0.01116
Ssc.26386.2.S1_a_at	NP_057185	-1.4934	0.00177
Ssc.13665.1.A1_at	SCML2	-1.8469	0.00012
Ssc.20101.1.S1_at	G1P3	-2.2007	0.029

## Upregulated genes at time point $t_2$

Probe Set ID	Gene Name	Log FC	P.Value
Ssc.13778.1.S1_at	IGHM	5.67482	0.00013
Ssc.30843.1.A1_at	Q96LP2	4.44237	0.00021
Ssc.19946.1.S1_at	IGLC1	4.05304	0.00152
Ssc.22164.1.S1_at	ATP6V0D2	4.04613	0.00016
Ssc.9914.1.A1_at	CKB	3.57454	6.1E-05
Ssc.14275.1.A1_at	Q96LP2	3.55771	0.00021
Ssc.5887.1.A1_at	Q96LP2	3.28737	0.00021
Ssc.8843.1.A1_at	FN1	2.89563	0.00162
Ssc.140.1.S1_at	AMBN	2.6721	0.00258
Ssc.575.1.S1_at	ACP5	2.5654	3.7E-05
Ssc.4520.1.S1_at	IGHM	2.51308	0.00013
Ssc.44.1.S1_at	ITGB3	2.50292	0.00815
Ssc.12774.1.A1_at	NP_940851	2.48555	7.9E-06
Ssc.14561.1.S1_at	ITGB2	2.46495	0.0008
Ssc.11075.3.S1_a at	TVB1_HUMAN	2.45304	0.04079
Ssc.26709.1.S1_at	EBI2	2.4368	0.00203
Ssc.20177.1.S1_at	ITGB2	2.42692	0.0007
Ssc.11006.1.S1_at	SNX10	2.38426	5.4E-05
Ssc.13490.1.A1_at	STX7	2.35453	0.00445
Ssc.30761.1.A1_at	PSD4	2.33952	0.00147
Ssc.17853.1.A1_at	REM1	2.29709	0.00085
Ssc.24984.1.S1_at	ASAHL	2.2688	0.00461
Ssc.8965.1.A1_at	EPAS1	2.24248	0.00331
Ssc.508.1.S1_at	FCER1G	2.22444	0.00514
Ssc.5826.1.A1_at	Q96LP2	2.20903	0.00017
Ssc.12817.1.S1_at	PLXNA2	2.16675	0.00032
Ssc.22030.1.S1_at	CCL5	2.16659	0.03752
Ssc.18359.1.S1_at	CCR1	2.15474	0.00263
Ssc.507.1.A1_at	REM1	2.15086	0.00101
Ssc.11858.1.S1_at	FMOD	2.14319	0.00306
Ssc.5950.1.S1_at	DNM1	2.12712	0.01072
Ssc.5381.1.A1_at	COL27A1	2.08316	0.00648
Ssc.428.5.S1_at	TCA_HUMAN	2.08273	0.03386
Ssc.151.1.S1_at	CYBB	2.08116	0.01844
Ssc.26337.1.S1_at	PSD4	2.03985	0.00144
Ssc.20258.1.S1_at	Q8N4T3	1.99177	0.02489
Ssc.2187.1.S1_at	ITGB2	1.98419	0.00059
Ssc.11243.1.A1_at	KIF23	1.98418	0.00347
Ssc.4258.1.S1_at	TP53I11	1.98386	0.00154

Ssc.11992.1.A1_at	CLU	1.96924	0.00126
Ssc.16985.1.S1_at	IL18BP	1.92192	0.00045
Ssc.19359.2.S1_at	MBP	1.90985	0.02196
Ssc.2897.1.S1_at	CBLB	1.90635	0.00028
Ssc.23014.1.S1_at	ITGB2	1.90064	0.00061
Ssc.16769.1.S1_at	REM1	1.89839	0.00093
Ssc.18272.1.A1_at	SNX10	1.89206	5.3E-05
Ssc.15892.1.S1_at	KCNAB2	1.87578	0.00162
Ssc.10328.1.A1_at	NP_942123	1.87156	0.03843
Ssc.3621.1.S1_at	DPYSL3	1.86229	0.00485
Ssc.23804.1.S1_at	SLC7A3	1.85693	0.00612
Ssc.7907.1.A1_at	EPAS1	1.84462	0.0033
Ssc.21300.1.S1_at	PAPOLA	1.834	0.00235
Ssc.27790.1.A1_at	SNX10	1.80783	4.6E-05
Ssc.30598.1.A1_at	NRP2	1.79691	0.0004
Ssc.10931.1.S1_at	CRYAB	1.79059	0.02537
Ssc.30055.1.A1_at	RUNX1	1.78716	0.01116
Ssc.24337.1.S1_at	MAPK9	1.77316	0.01659
Ssc.15419.1.S1_at	BTK	1.76048	0.01466
Ssc.16186.1.S1_at	CD3E	1.7473	0.04381
Ssc.5.1.S1_a_at	CLECSF5	1.74678	0.03091
Ssc.16766.1.A1_at	DOK2	1.73921	0.00737
Ssc.19344.1.A1_at	RH25_HUMAN	1.73547	0.01022
Ssc.21570.1.S1_at	HEM1	1.72957	0.02251
Ssc.5287.1.S1_at	NP_443170	1.71689	0.00176
Ssc.5530.2.S1_at	ZNF205	1.71132	0.01243
Ssc.17159.1.S1_at	IMP1_HUMAN	1.70002	0.01392
Ssc.4283.1.S1_at	BIN2	1.69722	0.0048
Ssc.5910.1.A1_at	VAV1	1.69286	0.00888
Ssc.8594.1.A1_at	BLNK	1.68648	0.02122
Ssc.116.1.S1_at	GGT1	1.6733	0.00834
Ssc.19648.1.S1_at	PSD4	1.66602	0.00145
Ssc.16932.1.S1_at	CNOT2	1.65264	0.01106
Ssc.4792.1.A1_at	PRKCB1	1.64567	0.01288
Ssc.4779.1.A1_at	CPM	1.64452	0.00543
Ssc.9330.1.A1_at	LCP1	1.60983	0.00415
Ssc.19836.1.S1_at	SLC31A2	1.59581	0.03036
Ssc.26328.1.S1_at	CCR5	1.59068	0.0414
Ssc.16912.2.S1_at	Q9BY89	1.57954	0.02075
Ssc.3761.1.A1_at	C6orf103	1.57954	7.9E-05
Ssc.1902.1.A1_at	Q8N200	1.57659	0.00529
Ssc.6656.1.A1_at	FNDC1	1.56197	0.02311
Ssc.18135.1.S1_at	PRELP	1.55079	0.00604

Ssc.13176.1.S1_at	MBP	1.54071	0.02185
Ssc.14371.1.S1_at	MAP1A	1.53683	0.0151
Ssc.22037.2.S1_at	LAM5_HUMAN	1.53579	0.01787
Ssc.820.1.S1_at	ANPEP	1.53524	0.03397
Ssc.23516.1.S1_at	SATB1	1.53222	0.03505
Ssc.18425.1.S1_at	PTPRCAP	1.52611	0.02873
Ssc.15612.1.S1_at	PSD4	1.52553	0.0015
Ssc.7176.1.A1_at	CXCR4	1.52266	0.00496
Ssc.11787.2.A1_at	RASSF2	1.51281	0.00702
Ssc.9553.1.A1_s_at	NP_054778	1.50983	0.01409
Ssc.8063.1.A1_at	NP_061900	1.48693	0.0387
Ssc.13296.1.A1_at	FMOD	1.47149	0.00293
Ssc.6785.1.S1_at	LRP1	1.46053	0.01789
Ssc.8569.1.A1_at	STX7	1.45681	0.00445
Ssc.29504.1.A1_at	HYDIN	1.44748	0.00218
Ssc.18375.1.A1_at	SEMA4D	1.44001	0.01376
Ssc.2624.1.S1_at	Q8NHP8	1.43982	0.00168
Ssc.25839.1.S1_at	ECE2	1.43457	0.0109

### Downregulated genes at time point $t_2$

<b>Probe Set ID</b>	<b>Gene Name</b>	<b>Log FC</b>	<b>P.Value</b>
Ssc.13499.1.A1_at	Q96KZ8	-1.00220	0.00041
Ssc.6789.2.S1_at	Q9BWC9	-1.01579	0.03728
Ssc.28128.1.A1_at	NRXN3	-1.02156	0.00533
Ssc.8308.1.A1_at	CHL1	-1.02159	0.04919
Ssc.14286.1.A1_at	C10orf78	-1.02896	0.00478
Ssc.25975.1.S1_at	HRMT1L3	-1.03380	0.00034
Ssc.7910.2.A1_a_at	HELLS	-1.03685	0.00318
Ssc.27652.1.A1_at	FAM33A	-1.04155	0.00033
Ssc.9434.1.A1_at	MARK1	-1.04393	0.02844
Ssc.10723.1.A1_at	FSHPRH1	-1.04575	0.00011
Ssc.29168.1.A1_at	PLA2G4A	-1.04817	0.00212
Ssc.5073.1.A1_at	EZH2	-1.05170	0.00354
Ssc.8180.1.A1_at	RFX4	-1.05615	0.04886
Ssc.22613.1.S1_at	Q7Z672	-1.06382	0.00036
Ssc.24916.1.S1_at	ESPL1	-1.07530	0.02052
Ssc.29056.1.S1_at	WDR43	-1.09256	0.01981
Ssc.18679.1.S1_at	TRIM59	-1.10309	0.00378
Ssc.13526.1.A1_at	C10orf64	-1.10761	0.00096
Ssc.13295.1.A1_at	SNX25	-1.10884	0.01226
Ssc.9387.2.S1_at	PCNA	-1.10960	0.00231

Ssc.26779.1.A1_at	CDH17	-1.11128	0.00020
Ssc.26662.1.S1_at	Q9H989	-1.11787	0.00777
Ssc.27995.1.A1_at	UHRF1	-1.12336	0.01472
Ssc.1408.2.S1_at	MCM2	-1.12336	0.00706
Ssc.17900.1.S1_at	C6orf162	-1.12745	0.00182
Ssc.4612.1.S1_at	MCM4	-1.12801	0.00435
Ssc.7153.1.A1_at	NASP	-1.13065	0.00190
Ssc.29706.1.A1_at	NP_054828	-1.13686	0.01381
Ssc.19940.1.S1_at	CCDC5	-1.14127	0.00002
Ssc.7202.1.A1_at	MCM6	-1.14339	0.00095
Ssc.4403.1.A1_at	CKS1B	-1.14902	0.00003
Ssc.16363.1.S1_at	TMOD3	-1.14961	0.02086
Ssc.16088.1.S1_at	HMGCR	-1.15409	0.03971
Ssc.24195.1.A1_at	ARHGAP19	-1.16515	0.00021
Ssc.24459.1.S1_at	NP_057532	-1.16660	0.01287
Ssc.24353.1.S1_at	VRK1	-1.17160	0.00103
Ssc.21974.2.S1_a_at	OSGEP	-1.18067	0.00040
Ssc.6654.1.A1_at	ACSL3	-1.18730	0.03462
Ssc.19205.1.A1_at	C7orf24	-1.18903	0.00018
Ssc.6338.2.S1_at	USP1	-1.18982	0.00106
Ssc.9311.1.A1_at	PHLDA1	-1.19071	0.00394
Ssc.24505.1.A1_at	DZIP1	-1.21352	0.00410
Ssc.13476.1.A1_at	Q86TG7	-1.21378	0.04162
Ssc.29650.1.A1_at	CHEK1	-1.22007	0.00055
Ssc.31027.1.A1_at	KIAA1333	-1.23674	0.00033
Ssc.226.1.S1_at	HMGB2	-1.23874	0.00113
Ssc.2045.2.S1_at	SLC23A3	-1.24221	0.00875
Ssc.11477.1.S1_at	IMMP2L	-1.24364	0.00139
Ssc.5721.1.S1_at	CDC45L	-1.25383	0.00307
Ssc.23207.1.S1_at	RNF2	-1.25694	0.00335
Ssc.25336.1.S1_at	KIAA1430	-1.26113	0.00592
Ssc.9387.1.A1_at	PCNA	-1.26415	0.00318
Ssc.18136.1.A1_at	NP_079143	-1.28426	0.00256
Ssc.18907.1.A1_at	DNA2L	-1.29992	0.00013
Ssc.26386.2.S1_a_at	NP_057185	-1.31685	0.00665
Ssc.19205.2.S1_at	C7orf24	-1.32061	0.00023
Ssc.19675.1.S1_at	RACGAP1	-1.32262	0.00100
Ssc.16931.1.S1_at	CCNB3	-1.33225	0.00019
Ssc.11984.1.A1_at	FANCD2	-1.33242	0.00030
Ssc.5983.1.A1_at	Q9NSG2	-1.34550	0.00063
Ssc.10642.1.S1_at	CTNNA3	-1.36346	0.00371
Ssc.11264.1.A1_at	TOM1L2	-1.36881	0.00098
Ssc.27353.1.A1_at	CHAF1B	-1.37224	0.00088

Ssc.29094.1.A1_at	ECT2	-1.37457	0.00046
Ssc.7139.1.S1_at	DHFR	-1.38693	0.00045
Ssc.2712.1.S1_at	NP_055544	-1.39243	0.00551
Ssc.7546.1.A1_at	NP_955389	-1.39759	0.00007
Ssc.11164.2.S1_a_at	Q96JN1	-1.40730	0.00274
Ssc.31026.1.A1_at	Q86T96	-1.42889	0.00226
Ssc.20770.1.S1_at	NSD1	-1.43943	0.00215
Ssc.23877.2.A1_at	CCNA2	-1.43989	0.00055
Ssc.21605.2.S1_at	NUSAP1	-1.44307	0.00030
Ssc.11630.1.S1_at	PTTG2	-1.44755	0.00076
Ssc.24094.1.S1_at	Q9BSJ6	-1.45046	0.00966
Ssc.21605.1.S1_a_at	NUSAP1	-1.45132	0.00136
Ssc.27540.2.S1_at	UBE2C	-1.45271	0.00367
Ssc.2953.1.A1_at	C21orf45	-1.47204	0.00074
Ssc.7517.1.A1_at	Q8N340	-1.47823	0.00896
Ssc.21611.1.S1_at	TRPC5	-1.49554	0.00184
Ssc.5129.1.S1_at	MAD2L1	-1.50154	0.00010
Ssc.26753.1.A1_at	CACNA2D1	-1.51881	0.01843
Ssc.12493.1.A1_at	PAFAH1B2	-1.52289	0.00012
Ssc.7621.1.A1_at	ANLN	-1.53097	0.00327
Ssc.432.1.S1_at	BIRC5	-1.53222	0.00350
Ssc.18205.1.S1_at	Q9BSD3	-1.54181	0.00020
Ssc.5401.1.S1_at	Q14691	-1.54897	0.00147
Ssc.15824.1.S1_at	KPNA2	-1.55768	0.00147
Ssc.27206.1.A1_at	RAB6B	-1.56919	0.02162
Ssc.2754.1.S1_at	PRC1	-1.56951	0.00235
Ssc.25215.1.A1_at	PLK4	-1.59078	0.00011
Ssc.7190.1.S1_at	BUB1B	-1.60832	0.00092
Ssc.5371.3.S1_a_at	POLE2	-1.65905	0.00091
Ssc.2154.3.S1_a_at	KIF2C	-1.67045	0.00245
Ssc.17991.1.A1_at	Q6ZN37	-1.67705	0.00257
Ssc.11879.1.A1_at	CDC6	-1.68145	0.00288
Ssc.7218.1.A1_at	KIAA0101	-1.68248	0.00138
Ssc.13876.1.S1_at	NEK2	-1.68422	0.00346
Ssc.2224.1.S1_at	CENPF	-1.69221	0.00194
Ssc.27717.1.S1_at	CDK11	-1.70528	0.00079
Ssc.5721.3.S1_a_at	CDC45L	-1.72445	0.00144

### Upregulated genes at time point $t_3$

Probe Set ID	Gene Name	Log FC	P.Value
Ssc.14275.1.A1_at	CALCR	7.12082	0.00000
Ssc.13778.1.S1_at	IGHM	6.91222	0.00001
Ssc.22164.1.S1_at	ATP6V0D2	6.21724	0.00000
Ssc.30843.1.A1_at	Q96LP2	6.06362	0.00000
Ssc.9914.1.A1_at	CKB	5.19846	0.00000
Ssc.19946.1.S1_at	IGLC1	4.88860	0.00026
Ssc.44.1.S1_at	ITGB3	4.76798	0.00002
Ssc.5.1.S1_a_at	CLECSF5	4.71424	0.00000
Ssc.4520.1.S1_at	MYO1D	4.60638	0.00000
Ssc.26709.1.S1_at	EBI2	4.55933	0.00000
Ssc.27790.1.A1_at	SIGLEC5	4.54622	0.00000
Ssc.13490.1.A1_at	STX7	4.49171	0.00001
Ssc.8843.1.A1_at	FN1	4.47863	0.00002
Ssc.20258.1.S1_at	Q8N4T3	4.43314	0.00003
Ssc.10328.1.A1_at	NP_942123	4.35451	0.00005
Ssc.30059.1.A1_at	NP_115724	4.33218	0.00006
Ssc.24984.1.S1_at	AS AHL	4.31292	0.00001
Ssc.116.1.S1_at	GGT1	4.24825	0.00000
Ssc.6656.1.A1_at	FNDC1	4.15442	0.00000
Ssc.140.1.S1_at	AMBN	4.03418	0.00004
Ssc.4128.1.A1_at	PDE4DIP	4.02149	0.00000
Ssc.11006.1.S1_at	SNX10	3.98494	0.00000
Ssc.20177.1.S1_at	SPI1	3.97537	0.00000
Ssc.4258.1.S1_at	TP53I11	3.97340	0.00000
Ssc.16640.1.A1_at	NP_009199	3.96374	0.00122
Ssc.17853.1.A1_at	REM1	3.95911	0.00000
Ssc.18011.1.S1_at	POPDC3	3.94528	0.00010
Ssc.5950.1.S1_at	DNM1	3.93491	0.00004
Ssc.2187.1.S1_at	CUTL2	3.92843	0.00000
Ssc.14561.1.S1_at	ITGB2	3.89810	0.00000
Ssc.19836.1.S1_at	SLC31A2	3.86734	0.00001
Ssc.12128.1.A1_at	NP_940851	3.85855	0.00000
Ssc.30761.1.A1_at	PSD4	3.84103	0.00001
Ssc.26200.1.S1_at	THRB	3.82928	0.00000
Ssc.820.1.S1_at	ANPEP	3.82149	0.00001
Ssc.12817.1.S1_at	PLXNA2	3.80896	0.00000
Ssc.6765.1.S1_at	SCIN	3.80222	0.00024
Ssc.11858.1.S1_at	FMOD	3.78240	0.00001
Ssc.8261.1.A1_at	CYP2C9	3.77004	0.00051

Ssc.9362.1.A1_at	COL1A2	3.73702	0.00001
Ssc.5381.1.A1_at	COL27A1	3.70662	0.00003
Ssc.18359.1.S1_at	CCR1	3.68305	0.00001
Ssc.5826.1.A1_at	CSF1R	3.68300	0.00000
Ssc.11243.1.A1_at	KIF23	3.66408	0.00001
Ssc.11992.1.A1_at	CLU	3.64200	0.00000
Ssc.508.1.S1_at	FCER1G	3.61783	0.00005
Ssc.19359.1.A1_at	MBP	3.60163	0.00001
Ssc.5287.1.S1_at	NP_443170	3.60006	0.00000
Ssc.4283.1.S1_at	BIN2	3.59273	0.00000
Ssc.18895.1.A1_at	FAM40B	3.56091	0.00000
Ssc.11075.3.S1_a_at	TVB1_HUMAN	3.54770	0.00485
Ssc.507.1.A1_at	TYROBP	3.53415	0.00000
Ssc.4511.1.S1_at	DHRS3	3.51406	0.00013
Ssc.16912.1.S1_at	Q9BY89	3.50529	0.00000
Ssc.4779.1.A1_at	CPM	3.49541	0.00000
Ssc.2897.1.S1_at	CBLB	3.49086	0.00000
Ssc.10931.1.S1_at	CRYAB	3.47941	0.00013
Ssc.16218.1.S1_at	ITGA2	3.46512	0.00000
Ssc.575.1.S1_at	ACP5	3.44830	0.00000
SscAffx.21.1.S1_at	CYP7A1	3.44291	0.00000
Ssc.8965.1.A1_at	EPAS1	3.42390	0.00005
Ssc.8594.1.A1_at	BLNK	3.42108	0.00006
Ssc.30055.1.A1_at	RUNX1	3.41994	0.00003
Ssc.26893.1.A1_at	NP_114141	3.41533	0.00019
Ssc.15419.1.S1_at	BTK	3.39813	0.00005
Ssc.27201.1.S1_a_at	CCRL2	3.38752	0.00028
Ssc.26337.1.S1_at	ICAM2	3.36781	0.00001
Ssc.19688.1.S1_at	CHRNA1	3.36575	0.00015
Ssc.20133.1.A1_at	THY1	3.36271	0.00000
Ssc.16234.1.S1_at	TCN1	3.36206	0.00233
Ssc.27360.1.A1_at	TIAM1	3.34197	0.00110
Ssc.26060.1.A1_at	MAFB	3.32355	0.00004
Ssc.15378.1.A1_at	NP_078993	3.31854	0.00001
Ssc.29185.1.A1_at	ITGA8	3.31755	0.00001
Ssc.7176.1.A1_at	CXCR4	3.31679	0.00000
Ssc.21537.1.A1_at	PARVB	3.29538	0.00000
Ssc.4466.1.S1_at	TEC	3.29374	0.00000
Ssc.428.5.S1_at	TCA_HUMAN	3.28569	0.00179
Ssc.25888.1.A1_at	NFIB	3.28243	0.00001
Ssc.23516.1.S1_at	SATB1	3.27466	0.00010
Ssc.19364.1.S1_at	C2	3.25614	0.00054
Ssc.2624.2.S1_at	Q8NHP8	3.25565	0.00000

Ssc.16494.1.A1_at	DOK3	3.24516	0.00000
Ssc.24337.1.S1_at	MAPK9	3.23972	0.00011
Ssc.18272.1.A1_at	TCIRG1	3.23452	0.00000
Ssc.18504.1.S1_at	DSCR1L1	3.19751	0.00000
Ssc.8647.1.A1_at	DISC1	3.17952	0.00001
Ssc.12138.1.A1_at	ROBO1	3.17779	0.00005
Ssc.23770.1.S1_at	ARSB	3.16857	0.00000
Ssc.151.1.S1_at	CYBB	3.16388	0.00087
Ssc.1526.1.S1_at	Q8N2F5	3.16283	0.00003
Ssc.18375.1.A1_at	SEMA4D	3.16044	0.00001
Ssc.23834.1.S1_at	SUSD3	3.15697	0.00001
Ssc.18343.1.A1_at	NP_938203	3.15546	0.00008
Ssc.19344.1.A1_at	RH25_HUMAN	3.15526	0.00005
Ssc.9330.1.A1_at	LCP1	3.13755	0.00000
Ssc.21091.1.S1_at	MYO1F	3.12812	0.00005
Ssc.20917.1.S1_at	C5orf13	3.12520	0.00004
Ssc.26328.1.S1_at	CCR5	3.12272	0.00036
Ssc.30598.1.A1_at	NRP2	3.10583	0.00000

### Downregulated genes at time point $t_3$

<b>Probe Set ID</b>	<b>Gene Name</b>	<b>Log FC</b>	<b>P.Value</b>
Ssc.15257.1.S1_a_at	ACE2	-1.00045	0.00033
Ssc.21124.1.S1_at	O43328	-1.00680	0.00020
Ssc.30633.1.S1_at	NP_060835	-1.00814	0.00081
Ssc.28023.1.A1_at	ZNF521	-1.01111	0.00034
Ssc.17250.1.S1_at	QDPR	-1.01119	0.00164
Ssc.11012.1.A1_at	MSRB_HUMAN	-1.01343	0.01673
Ssc.25151.1.S1_at	C6orf79	-1.01384	0.00010
Ssc.13593.1.A1_at	Q9C0F7	-1.01527	0.00001
Ssc.8143.1.A1_at	RAPGEF2	-1.01600	0.00034
Ssc.25216.1.S1_at	PLCZ1	-1.01808	0.00003
Ssc.9439.1.A1_a_at	FUBP1	-1.01954	0.00002
Ssc.1705.1.S1_at	PCBD	-1.02035	0.00613
Ssc.7523.1.A1_at	PHB	-1.02119	0.00036
Ssc.24392.1.S1_at	RAB5B	-1.02239	0.01602
Ssc.30944.1.A1_at	MRE11A	-1.02370	0.00248
Ssc.3998.1.S1_at	Q96EY4	-1.02897	0.00032
Ssc.2505.2.S1_at	AKAP11	-1.03112	0.00204
Ssc.8819.1.A1_at	HPS3	-1.03190	0.00464
Ssc.3249.1.S1_at	QSCN6	-1.03274	0.00390
Ssc.24918.1.S1_at	Q9P2K6	-1.03354	0.00236

Ssc.22204.2.A1_at	PIP3AP	-1.03447	0.00002
Ssc.7413.1.A1_at	DNMT3B	-1.03590	0.00000
Ssc.14573.1.S1_at	EYA2	-1.03599	0.00021
Ssc.7281.2.A1_at	SFRS10	-1.03676	0.00000
Ssc.22547.1.S1_at	TTF2	-1.03792	0.00034
Ssc.21547.1.A1_at	Q9UI58	-1.03977	0.00328
Ssc.5517.1.A1_at	MAP3K12	-1.04156	0.00116
Ssc.7446.1.S1_a_at	PPID	-1.04179	0.00000
Ssc.22824.1.S1_at	SEPHS1	-1.04246	0.00042
Ssc.3091.1.A1_at	HECA	-1.04322	0.00038
Ssc.4482.2.S1_at	PPP2R5C	-1.04560	0.00575
Ssc.7221.1.S1_at	H2AFV	-1.04633	0.00000
Ssc.19103.1.A1_at	MED8	-1.04725	0.00123
Ssc.30818.1.S1_at	NUFIP1	-1.04955	0.00023
Ssc.25561.1.A1_at	PWP1_HUMAN	-1.04965	0.00005
Ssc.5220.1.S1_at	SFRS9	-1.05033	0.00002
Ssc.10395.1.A1_at	TAF9	-1.05271	0.00005
Ssc.3952.1.S1_at	SAE2_HUMAN	-1.05353	0.00000
Ssc.1006.1.S1_at	PGM1	-1.05431	0.00101
Ssc.11700.1.A1_at	SERAC1	-1.05557	0.00019
Ssc.25535.1.S1_at	TM6SF1	-1.05564	0.00035
Ssc.6448.1.S1_at	Q6GMV3	-1.05675	0.00011
Ssc.27880.1.S1_at	BID	-1.05842	0.00005
Ssc.5524.1.S1_at	C1orf24	-1.05843	0.00270
Ssc.4556.1.S1_at	NUP107	-1.05918	0.00009
Ssc.17027.1.S1_at	ATAD3A	-1.05926	0.00012
Ssc.1449.1.S1_at	SMC1L1	-1.06420	0.00002
Ssc.5300.1.S1_at	NP_060209	-1.06534	0.00108
Ssc.5638.1.S1_at	FKBP4	-1.06634	0.00035
Ssc.8379.1.A1_at	SLC35A1	-1.06705	0.00010
Ssc.6423.1.A1_at	KIAA0934	-1.06867	0.04689
Ssc.31040.1.A1_at	CC4L_HUMAN	-1.07230	0.00016
Ssc.2879.1.S1_at	SLC25A25	-1.07353	0.00449
Ssc.25399.1.S1_at	FBXL11	-1.07519	0.00000
Ssc.8274.1.A1_at	PFN2	-1.07522	0.01618
Ssc.1398.1.S1_at	KCTD15	-1.07742	0.00069
Ssc.9450.1.S1_at	MYLK	-1.07794	0.00791
Ssc.3772.1.A1_at	SGCE	-1.07888	0.00103
Ssc.1632.1.S1_at	DKKL1	-1.08325	0.00116
Ssc.26113.2.S1_at	Q9H6L5	-1.08332	0.02777
Ssc.10928.1.A1_at	PCTK2	-1.08640	0.00079
Ssc.10918.1.A1_at	NP_057142	-1.08792	0.00002
Ssc.1210.1.A1_at	C14orf130	-1.08914	0.00001

Ssc.12091.1.A1_at	SMARCA1	-1.09155	0.00396
Ssc.17872.1.A1_at	NR2F1	-1.09463	0.01696
Ssc.24250.1.S1_at	CRABP2	-1.09700	0.01425
Ssc.5008.1.A1_at	GSTA4	-1.09803	0.00033
Ssc.7735.2.S1_at	ARPC1A	-1.10072	0.00005
Ssc.16964.2.S1_a_at	C13orf11	-1.10481	0.00029
Ssc.21545.1.S1_at	PCNX	-1.10491	0.00294
Ssc.24422.1.S1_at	UBE2S	-1.10576	0.00008
Ssc.9819.1.S1_at	PGRMC1	-1.10716	0.00188
Ssc.12709.1.A1_at	LMNB2	-1.10987	0.00003
Ssc.10723.1.A1_at	FSHPRH1	-1.11069	0.00005
Ssc.21205.1.S1_at	MRPL19	-1.11114	0.00008
Ssc.24710.1.S1_at	Q8IYR3	-1.11164	0.00225
Ssc.18474.1.S1_at	EIF2B3	-1.11444	0.00004
Ssc.5105.2.S1_a_at	GPRC5B	-1.11681	0.00229
Ssc.20772.1.S1_at	USP39	-1.11988	0.00010
Ssc.6371.1.A1_at	PRNP	-1.12016	0.00237
Ssc.16861.1.A1_at	Q8N221	-1.12041	0.00006
Ssc.12888.1.S1_at	WRB	-1.12422	0.00012
Ssc.7797.1.S1_at	TMED8	-1.13034	0.00008
Ssc.8408.1.A1_at	Q8N815	-1.13154	0.00005
Ssc.3313.1.S1_at	HSPA4	-1.13164	0.00004
Ssc.30936.1.S1_at	ACTR8	-1.13396	0.00025
Ssc.24084.1.A1_at	ACVR2B	-1.13500	0.00646
Ssc.21701.1.S1_at	FEN1	-1.13571	0.00014
Ssc.8905.1.A1_at	NP_976224	-1.13698	0.00219
Ssc.19940.1.S1_at	CCDC5	-1.13747	0.00002
Ssc.22216.1.A1_at	RBBP8	-1.13792	0.00001
Ssc.29410.1.A1_at	PLCB4	-1.13979	0.04825
Ssc.12312.1.A1_at	NOLC1	-1.14097	0.00002
Ssc.12335.2.S1_a_at	Q8WVE0	-1.14217	0.00009
Ssc.18635.1.S1_at	SIVA_HUMAN	-1.14474	0.00004
Ssc.17330.2.A1_at	C10orf86	-1.14687	0.00000
Ssc.7694.1.A1_at	TOPBP1	-1.14717	0.00000
Ssc.20481.1.A1_at	KIAA0020	-1.14773	0.00003
Ssc.18475.2.S1_at	PTE2_HUMAN	-1.14848	0.00002
Ssc.18475.3.A1_at	NP_689544	-1.15136	0.00187

## Upregulated genes at time point $t_4$

Probe Set ID	Gene Name	logFC	P.Value
Ssc.13778.1.S1_at	IGHM	8.89414	0.00000
Ssc.21582.1.S1_at	UBD	7.60756	0.00013
Ssc.15871.1.S1_a_at	KLRC4	7.16283	0.00000
Ssc.19946.1.S1_at	IGLC1	6.68796	0.00004
Ssc.11075.1.S1_a_at	TVB1_HUMAN	6.52247	0.00003
Ssc.11208.1.S1_at	0	6.51235	0.00001
Ssc.140.1.S1_at	AMBN	5.87610	0.00000
Ssc.19640.1.A1_at	FCER1A	5.83251	0.00005
Ssc.19364.1.S1_at	C2	5.73833	0.00000
Ssc.428.5.S1_at	TCA_HUMAN	5.61810	0.00004
Ssc.22030.1.S1_at	CCL5	5.57566	0.00008
Ssc.8261.1.A1_at	CYP2C9	5.46767	0.00005
Ssc.18610.1.A1_at	NEBL	5.41186	0.00002
Ssc.23793.1.S1_at	CD2	5.28899	0.00010
Ssc.5.1.S1_a_at	CLECSF5	5.11144	0.00001
Ssc.30843.1.A1_at	Q96LP2	4.83335	0.00044
Ssc.16234.1.S1_at	TCN1	4.82567	0.00036
Ssc.6765.1.S1_at	SCIN	4.81311	0.00010
Ssc.16186.1.S1_at	CD3E	4.69962	0.00007
Ssc.5614.1.S1_at	TPS1	4.64796	0.00001
Ssc.20832.1.S1_at	SCTR	4.57076	0.00000
Ssc.12825.1.A1_at	NP_742001	4.55931	0.00029
Ssc.22164.1.S1_at	ATP6V0D2	4.51310	0.00025
Ssc.18010.1.A1_at	SH2D1A	4.46911	0.00011
Ssc.27201.1.S1_a_at	CCRL2	4.45950	0.00007
Ssc.14561.1.S1_at	ITGB2	4.44710	0.00001
Ssc.180.1.S1_at	TRGV9	4.41453	0.00001
Ssc.19619.1.S1_at	LCK	4.39025	0.00010
Ssc.26328.1.S1_at	CCR5	4.38560	0.00005
Ssc.20294.1.S1_at	Q8N8D9	4.38410	0.00006
Ssc.26709.1.S1_at	EBI2	4.22750	0.00004
Ssc.9362.1.A1_at	COL1A2	4.17361	0.00002
Ssc.16640.3.S1_at	NP_009199	4.17299	0.00007
Ssc.151.1.S1_at	CYBB	4.14623	0.00028
Ssc.1813.1.S1_at	PRODH	4.12558	0.00016
Ssc.7907.1.A1_at	SIAT1	4.00587	0.00000
Ssc.23804.1.S1_at	SLC7A3	3.99738	0.00001
Ssc.26300.2.S1_at	UNC93B1	3.99558	0.00001
Ssc.508.1.S1_at	FCER1G	3.97477	0.00010

Ssc.18938.1.A1_at	CPZ	3.95943	0.00010
Ssc.20177.1.S1_at	SPII	3.94920	0.00002
Ssc.10346.1.A1_at	HEM1	3.94679	0.00003
Ssc.8594.1.A1_at	BLNK	3.94662	0.00006
Ssc.11006.1.S1_at	SNX10	3.93449	0.00000
Ssc.1206.1.A1_at	ADAMTS19	3.91519	0.00000
Ssc.16932.1.S1_at	CNOT2	3.91097	0.00001
Ssc.709.1.S1_at	GLRX	3.90162	0.00001
Ssc.24944.1.S1_a_at	FCGR1A	3.89952	0.00002
Ssc.30761.1.A1_at	PSD4	3.87304	0.00004
Ssc.3285.1.S1_at	ST14	3.87261	0.00079
Ssc.19980.1.S1_at	ADAM28	3.85575	0.00000
Ssc.5381.1.A1_at	COL27A1	3.85434	0.00010
Ssc.22620.1.S1_at	IFIT2	3.85133	0.00000
Ssc.30059.1.A1_at	NP_115724	3.83423	0.00108
Ssc.15419.1.S1_at	BTK	3.81262	0.00007
Ssc.16766.1.A1_at	DOK2	3.77573	0.00002
Ssc.5108.1.S1_at	C9	3.73134	0.00001
Ssc.26337.1.S1_at	ICAM2	3.72783	0.00001
Ssc.19344.1.A1_at	RH25_HUMAN	3.72574	0.00004
Ssc.18425.1.S1_at	PTPRCAP	3.69418	0.00009
Ssc.30637.1.A1_at	SLC39A11	3.66455	0.00015
Ssc.21091.1.S1_at	MYO1F	3.61720	0.00006
Ssc.24337.1.S1_at	MAPK9	3.61195	0.00018
Ssc.7275.1.S1_at	KYNU	3.58998	0.00000
Ssc.19648.1.S1_at	SLC15A3	3.58735	0.00000
Ssc.20464.1.S1_at	GLIPR1	3.58009	0.00004
Ssc.5910.1.A1_at	VAV1	3.57831	0.00004
Ssc.11025.1.S1_at	HLA-DMB	3.57467	0.00004
Ssc.16494.1.A1_at	DOK3	3.57460	0.00000
Ssc.24984.1.S1_at	ASAH1	3.57174	0.00034
Ssc.30602.1.A1_at	Q6ZRW2	3.57052	0.00004
Ssc.20113.1.S1_at	FRMD4B	3.55606	0.00188
Ssc.507.1.A1_at	TYROBP	3.54949	0.00002
Ssc.17297.1.A1_at	CLIC2	3.53255	0.00003
Ssc.4792.1.A1_at	PRKCB1	3.52186	0.00007
Ssc.18359.1.S1_at	CCR1	3.51833	0.00011
Ssc.14475.3.S1_a_at	PPARG	3.50459	0.00002
Ssc.6055.1.A1_at	Q6P9B3	3.49603	0.00015
Ssc.12682.1.A1_at	VAV3	3.48311	0.00016
Ssc.2140.1.S1_at	PTK2B	3.48011	0.00001
Ssc.31189.1.S1_at	CHPT1	3.47867	0.00007
Ssc.19359.1.A1_at	MBP	3.46705	0.00011

Ssc.13176.1.S1_at	CORO1A	3.46291	0.00011
Ssc.114.1.S1_at	HSPA6	3.44387	0.00001
Ssc.7969.1.A1_at	POSTN	3.43792	0.00227
Ssc.12138.1.A1_at	ROBO1	3.41678	0.00012
Ssc.5887.1.A1_at	SLC37A2	3.41566	0.00068
Ssc.3541.1.A1_at	NOSTRIN	3.41351	0.00000
Ssc.10931.1.S1_at	CRYAB	3.39479	0.00083
Ssc.7176.1.A1_at	CXCR4	3.36796	0.00001
Ssc.26200.1.S1_at	THRB	3.36577	0.00011
Ssc.314.1.S1_at	ADM	3.36349	0.00017
Ssc.29232.1.A1_at	SLC1A2	3.35987	0.00000
Ssc.1138.1.A1_at	LAMA2	3.35428	0.00006
Ssc.23516.1.S1_at	SATB1	3.34622	0.00040
Ssc.27360.1.A1_at	TIAM1	3.34265	0.00393
Ssc.26060.1.A1_at	MAFB	3.33947	0.00022
Ssc.2624.2.S1_at	Q8NHP8	3.31838	0.00000
Ssc.20101.1.S1_at	G1P3	3.31672	0.00892
Ssc.8854.1.A1_at	ARHGAP27	3.31671	0.00060

### Downregulated genes at time point $t_4$

<b>Probe Set ID</b>	<b>Gene Name</b>	<b>Log FC</b>	<b>P.Value</b>
Ssc.8220.1.A2_at	RNPC2	-1.0004	0.0000
Ssc.21965.1.S1_at	NUP35	-1.0011	0.0005
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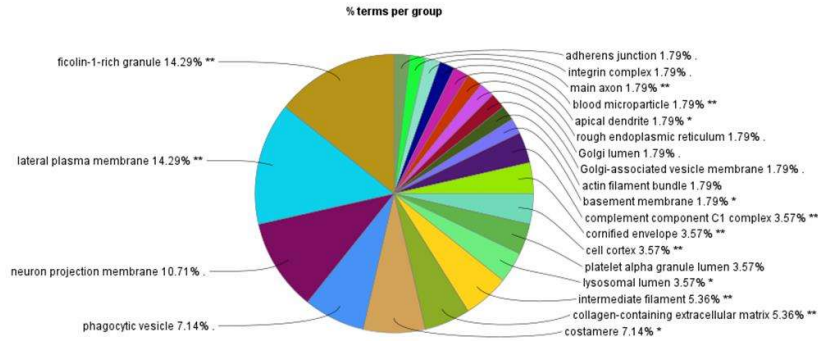
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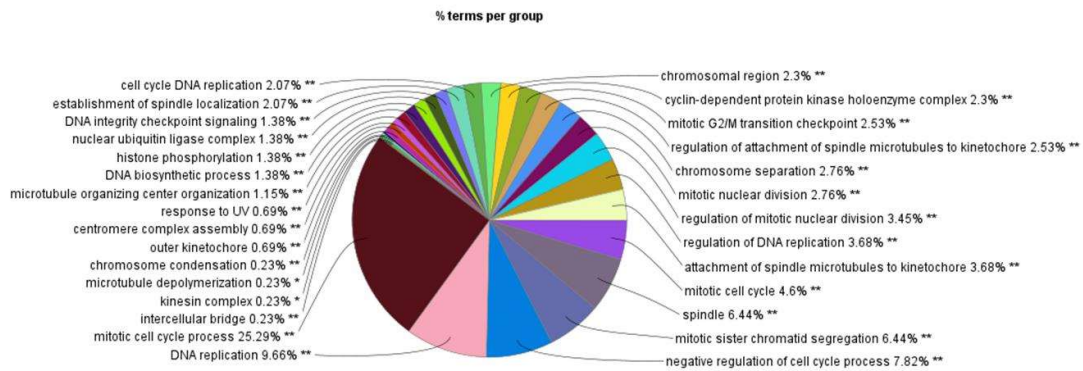
## APPENDIX – III (B)

### Cellular component

(a)



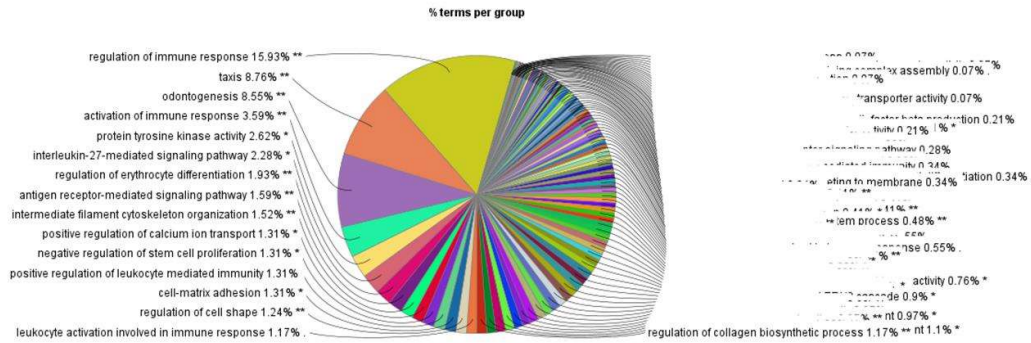
(b)



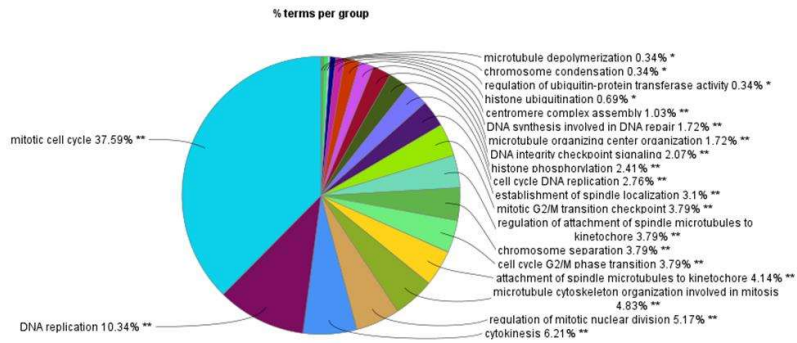
**Figure A.1** Cellular component (CC) of enrichment analysis: (a) Upregulated genes; (b) Downregulated genes.

## Biological process

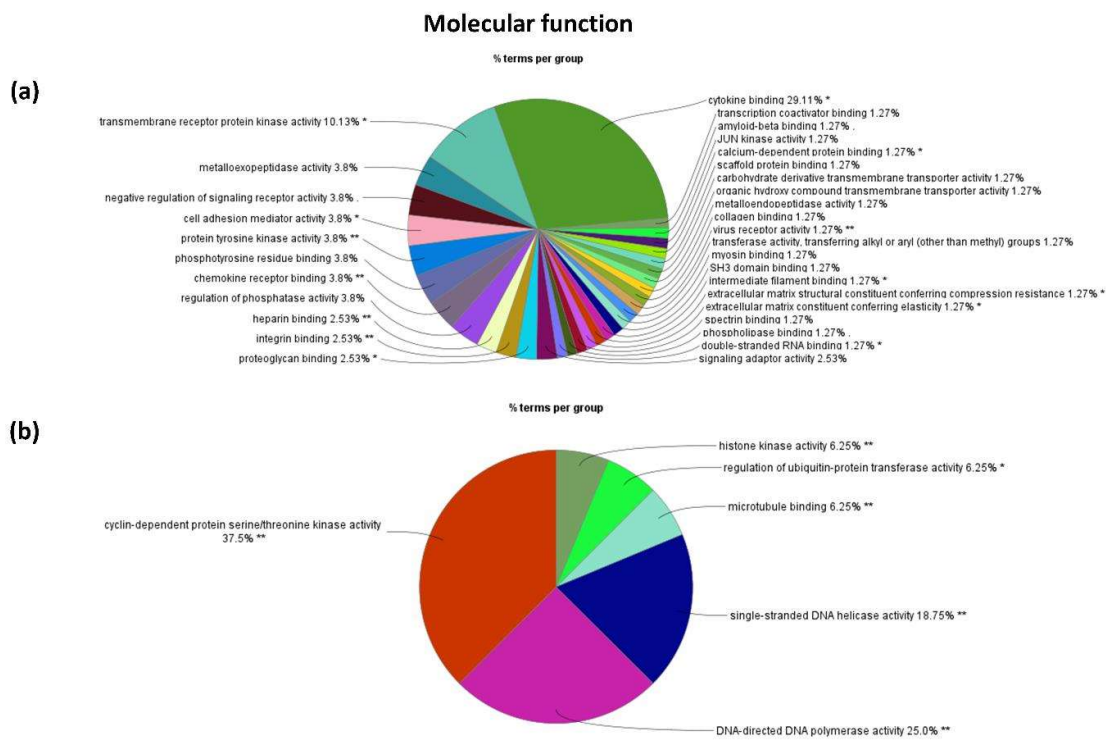
(a)



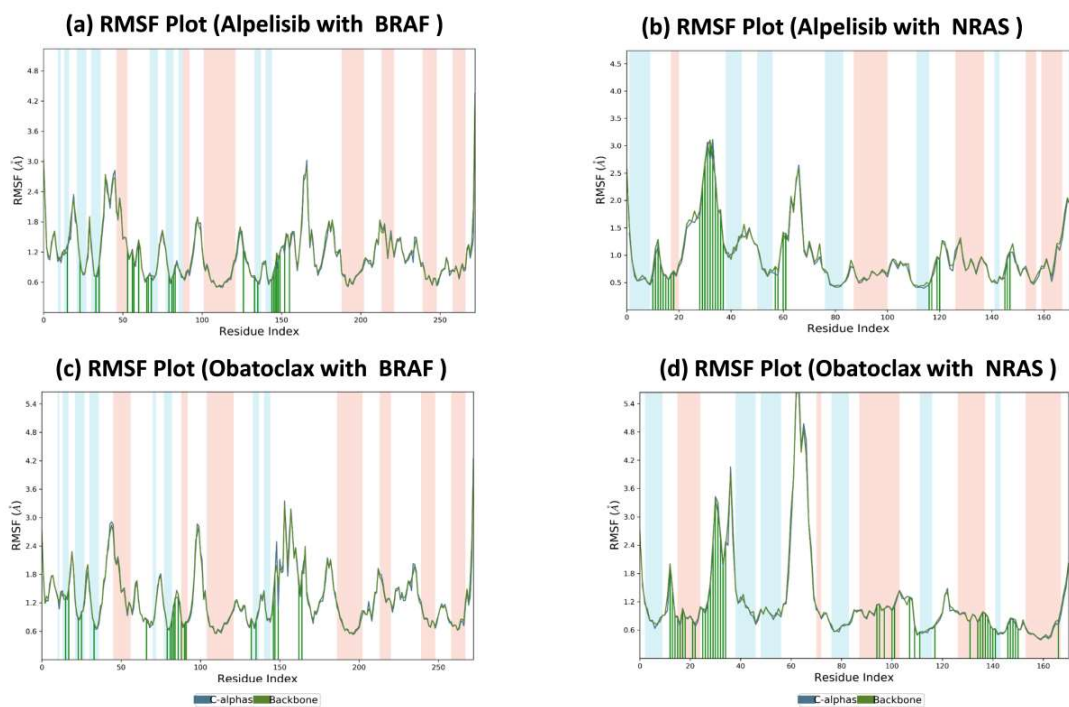
(b)



**Figure A.2** Biological process (BP) of enrichment analysis: (a) Upregulated genes; (b) Downregulated genes.



**Figure A.3** Molecular function (MF) of enrichment analysis: (a) Upregulated genes; (b) Downregulated genes



**Figure A.4** Molecular Dynamics (MD) simulation trajectories analysis of both BRAF (PDB ID: 5C9C) and NRAS (PDB ID: 6ZIZ) with both the ligand (Alpelisib and Obatoclox). Panel (a, b, c, and d) illustrate the RMSF plot showing how the protein chain's alpha helices (red color) and beta sheets (blue color) distributions, as well as local fluctuations, changes during the course of the simulation. Green bars represent the ligand interaction locations with the particular residues.

## LIST OF PUBLICATIONS

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### Journals related to the thesis work:

1. **Kumari B**, Sakode C, Lakshminarayanan R, Roy PK. Computational systems biology approach for permanent tumour elimination and normal tissue protection using negative biasing: Experimental validation in malignant melanoma as case study. *Mathematical Bioscience and Engineering*. 2023 Mar 21;**20**(5):9572-9606. doi: 10.3934/mbe.2023420. PMID: 37161256.
2. **Kumari, B.**, Sakode, C., Raghavendran, L., Purohit, P., Bhattacharjee, A., & Roy, P. K. (2022). A Mechanistic Analysis of Spontaneous Cancer Remission Phenomenon: Identification of Genomic Basis and Effector Biomolecules for Therapeutic Applicability, (3 *Biotech Journal*), **13**(113), DOI-10.1007/s13205-023-03515-0
3. **Kumari, B.**, Arushi, M., Ashish S., Ashutosh, S., & Roy, P. K., Spontaneous cancer regression as reversion of spontaneous cancer progression: Molecular targets and pharmacological implications, (*Journal of Bimolecular Structure and Dynamics*) (under communication)

## LIST OF PUBLICATIONS

### Conference publication related to the thesis work:

1. **Kumari, B.**, Sakode, C., Raghavendran, L., & Roy, P. K., System biology approach to normal tissue protection in cytotoxic cancer therapy: Experimentally validated gene/signaling basis – melanoma as case study., *Annals of Oncology* (2022) 33 (suppl\_7): S356-S409. 10.1016/annonc/annonc1059
2. **Kumari, B.**, Sakode, C., Raghavendran, L., & Roy, P. K., Systems biology basis of permanent tumour regression with normal tissue protection: Experimentally validated signaling pathway framework. *J. Clinical Oncology*, 40 (16), Suppl.1, e15066, 2022 [https://ascopubs.org/doi/10.1200/JCO.2022.40.16\\_suppl.e15066](https://ascopubs.org/doi/10.1200/JCO.2022.40.16_suppl.e15066)
3. **Kumari, B.**, Sakode, C., & Roy, P. K., “Experimentally Validated Systems Biology-Based Approach Enables: (1) Permanent Tumour Remission, With (2) Normal Tissue Protection” *Proc. International Conference on Role of Immune System for Cancer Prevention and Treatment. Annual Conference, Society of Translational Cancer Research, 2020*
4. **Kumari. B.**, Roy, P.K., (2023) “Genomics Basis and Nodal Genes of Endogenous Spontaneous Cancer Remission Phenomenon: Network Pharmacology and Biosystems Analysis.”, 42<sup>nd</sup> Annual Conference of the IACR (Indian Association of Cancer Research), ACTREC at Tata Memorial Center, 2023.

## LIST OF PUBLICATIONS

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### Publications not related to the thesis work:

1. Prakash, A., **Kumari, B.**, & Sharma, S. (2019). A low-cost, wearable sEMG sensor for upper limb prosthetic application. *Journal of medical engineering & technology*, 43(4), 235-247.
2. Ruttala, R., Purohit, P., Bhattacharjee, A., **Kumari, B.**, & Roy, P. K., (2022). MRI-DTI Imaging Reveals Specific Neuro-degeneration Signature in Precuneus Node of Awareness Processing in Brain under Alzheimer's Disease. *Journal of Advanced Applied Scientific Research*, 4(4), 102-111.
3. Chowdhury S, Purohit P, Bhattacharjee A, **Kumari B**, Roy PK, "Novel Drug Discovery for Acute Encephalitis using A.I.-based machine-reading and knowledge-mapping of Medical Literature Text", Proc. NAMSCON 2021.
4. Baghel B, **Kumari B**, Bhattacharjee A, Purohit P, Roy PK, "Long-term Structural Stability observed in Cerebellum during Ageing: Radiological Genomics identifies Neuroprotective Drugs with Clinical Validation", Proc. NAMSCON 2021
5. Kumari, B, Prakash, A, Sharma, S. Development of EMG Sensor for Prosthetic Hand Control, International Conference on Innovation Research in Applied physics, Material sciences, Instrumentation, Electronics, Communication, Electrical, Power Control, Computer system, and Information technology at Jawaharlal Nehru University(TECHNOVA-2017), New Delhi.

## Patent:

Prakash, **B. Kumari**, S. Sharma & N. Sharma “EMG sensor for prosthetic hand control,” Indian Patent Ref. No. 201811016601, May 2, 2018 (status: published).

## International Conferences:

1. **Kumari. B.**, Roy, P.K., (2023) “Genomics Basis and Nodal Genes of Endogenous Spontaneous Cancer Remission Phenomenon: Network Pharmacology and Biosystems Analysis.”, 42<sup>nd</sup> Annual Conference of the IACR (Indian Association of Cancer Research), scheduled on January. 12-16, 2023, ACTREC at Tata Memorial Center, Navi Mumbai, India.
2. **Kumari. B.**, Sakode, C., Lakshminarayanan, R., Roy, P.K., (2022) “Systems Biology approach to Normal Tissue Protection in cytotoxic Cancer Therapy: Experimentally-validated gene/Signalling basis-Melanoma as a case study-.”, ESMO (European Society for Medical Oncology) Congress-2022, 9-13 Sept, Paris, France.
3. **Kumari. B.**, Sakode, C., Roy, P.K., (2020) “Experimentally-validated Systems Biology-based approach to enabling Permanent Tumour Remission with Normal Tissue protection-.”, 8<sup>th</sup> International Translational Cancer Research Conference on ‘Role of Inflammation and Immune System for Cancer Prevention and Treatment’, Dept. of Biochemistry, Institute of Science (BHU) and Society for Translational Cancer Research(STCR), Feb. 13-16, 2020, BHU, Varanasi.
4. **Kumari. B.**, Prakash, A., Sharma, S., (2023) “Development of Neuromuscular EMG Acquisition and Processing for Neural Control of 3-D printed Prosthetic Hand.”, 15th meeting of Asian-Pacific society of Neurochemistry (APSN)- 2018, MACAU S.A.R, China,2018.

5. **Kumari. B.,** Prakash, A., Roy, P.K., (2023) “Development of EMG sensor for Prosthetic Hand Control.”, 36th Annual Meeting of Indian Academy of Neurosciences being held at Banaras Hindu University during 29-31 October 2018.
6. **Kumari. B.,** and, Roy, P.K., 3rd IBRO/APRC Chandigarh Associate Neuroscience School, 2018.
7. **Kumari. B.,** Prakash, A., and Shram., S., “Development of EMG Sensor for Prosthetic Hand Control” TECHNOVA-2017(International Conference) organized by" krishi Sanskrit" at Jawaharlal Nehru University, New Delhi.

### **Workshops and Hands-on-trainings:**

1. **Workshop on Solidworks for Biomedical Applications,** Department of Biomedical Engineering University College of Engineering(A), **Osmania University,** February, 2022.
2. **Workshop on Insilco Drug Designing using Network Pharmacology Approach,** Department of Applied Science, **IIT Allahabad,** 2021.
3. **Short-Term Course (with Hands-On-Training) on ‘Advances in Medical imaging’,** in I-DAPT HUB Foundation, **IIT BHU,** March 2021.
4. An **online short-term certificate course on Analytical Techniques to Study from Biomolecules to Tissues (ATSBT- 2021),** July, 2021
5. **3<sup>rd</sup> Workshop on ‘Brain, Computation and Learning’** at Indian Institute of Science (**IISC**) **Bengaluru,** INDIA, June 2019.
6. **ISN-APSN Neuroscience School at Macau University of Science and Technology (Macau, CHINA)** in 2018.