

# Bibliography

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## List of Publications

1. **Kaushal Gupta**, Sonal Gupta and Ashok Ji Gupta, *Copure Direct Projective Modules*, ***Palestine Journal of Mathematics*** (Accepted-2023).
2. **Kaushal Gupta**, and Ashok Ji Gupta, *Pure  $C3$  Modules* ***Asian European Journal of Mathematics*** (Accepted-2023).
3. **Kaushal Gupta**, Shiv Kumar and Ashok Ji Gupta, *Modules in which pure submodule is essential in a direct summand* (Communicated).
4. **Kaushal Gupta**, and Ashok Ji Gupta, *Finite  $C3$  Modules* (Communicated).