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List of Publications

1. **Mansi Mishra** and M. K. Vemuri, "The Weyl transform of a measure", *Proc. Indian Acad. Sci. (Math. Sci.)*, vol.133(2), Paper No. 29, 11, (2023). doi: 10.1007/s12044-023-00748-0.

2. **Mansi Mishra** and M. K. Vemuri, "The Weyl Transform of a smooth measure on a real-analytic submanifold", *Bull. Aust. Math. Soc.*, (2024). doi: 10.1017/S0004972724000881.

3. **Mansi Mishra** and M. K. Vemuri, "The Weyl Transform of a compactly supported distribution", *arXiv preprint*, (2024). arXiv2409.16835.

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