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List of Published and Communicated Papers

The following research articles are published or communicated.

1. Sarita Kumari and Rajesh K. Pandey, Single-term and multi-term nonuniform time-stepping approximation methods for two-dimensional time-fractional diffusion-wave equation, **Computers and Mathematics with Applications** 151 (2023), 359-383.

2. Sarita Kumari and Rajesh K. Pandey, Alternating direction implicit approach for the two-dimensional time fractional nonlinear Klein–Gordon and Sine–Gordon problems, **Communications in Nonlinear Science and Numerical Simulation** 130 (2024), 107769.

3. Sarita Kumari, Rajesh K. Pandey, and Ravi P Agarwal, High-Order Approximation to Generalized Caputo Derivatives and Generalized Fractional Advection–Diffusion Equations, **Mathematics** 2023, 11(5), 1200.

4. Deeksha Singh, Rajesh K. Pandey, Sarita Kumari, A fourth order accurate numerical method for non-linear time fractional reaction–diffusion equation on a bounded domain, **Physica D: Nonlinear Phenomena** 449 (2023), 133742.

5. Sarita Kumari and Rajesh K. Pandey, An efficient temporal approximation for weakly singular time-fractional nonlinear diffusion-wave equation with variable coefficients, **Numerical Algorithm (Revision Submitted)**.

6. Sarita Kumari and Rajesh K. Pandey, A temporal difference scheme on nonuniform meshes for nonlinear time-delay fractional diffusion-wave equation with nonsmooth initial data, **(Communicated)**.

7. Riya Kumari Burman, Sarita Kumari and Rajesh K. Pandey, Compact difference approximation method for solving two-dimensional time-fractional diffusion-wave equation, **(Communicated)**.